



ON Semiconductor®

DC-DC Converters Feedback and Control

Agenda

- Feedback generalities
- Conditions for stability
- Poles and zeros
- Phase margin and quality coefficient
- Undershoot and crossover frequency
- Compensating the converter
- Compensating with a TL431
- Watch the optocoupler!
- Compensating a DCM flyback
- Compensating a CCM flyback
- Simulation and bench results
- Conclusion



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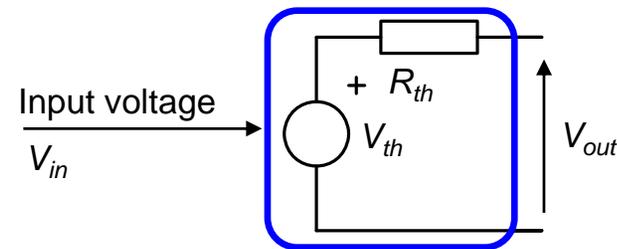
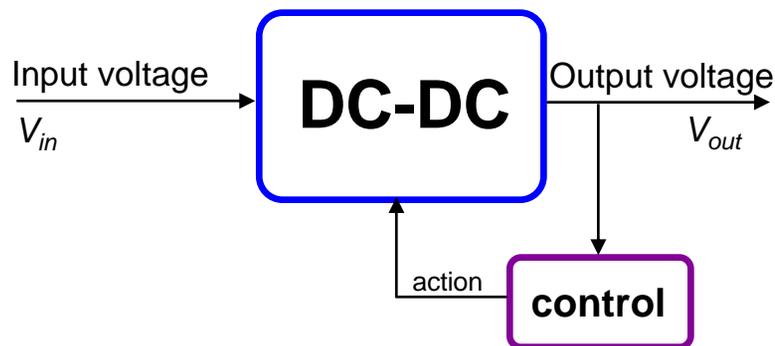
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What is Feedback?

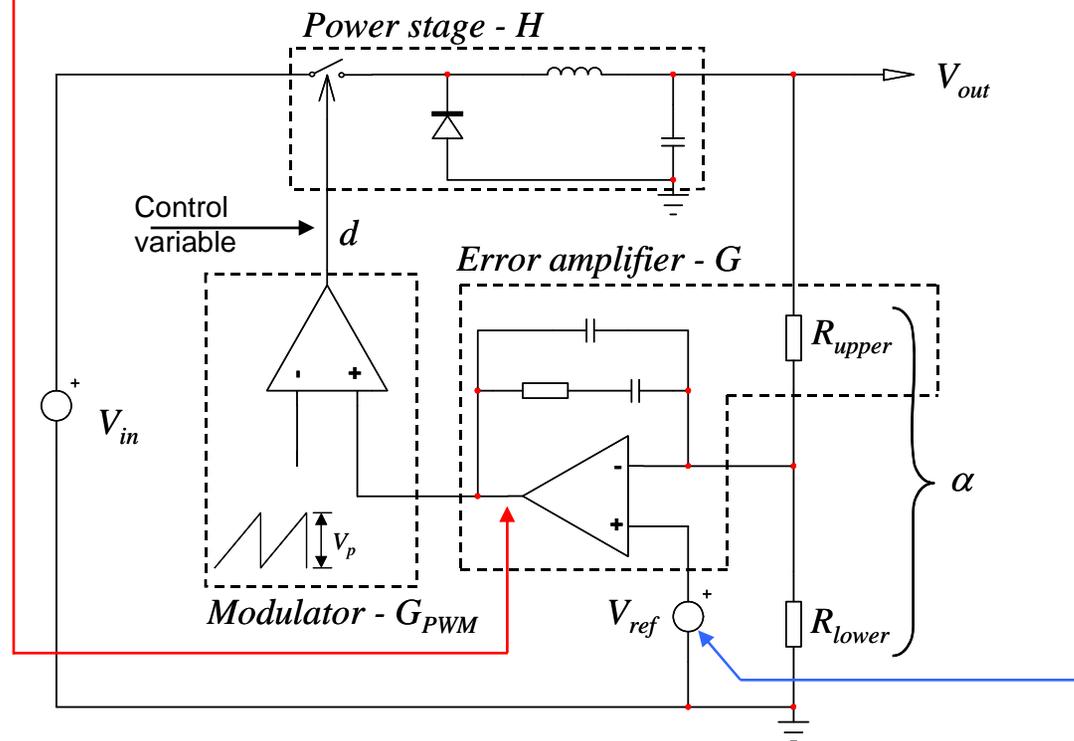
- ❑ A target is assigned to one or several state-variables, e.g. $V_{out} = 12\text{ V}$.
- ❑ A circuitry monitors V_{out} deviations related to V_{in} , I_{out} , T° etc.
- ❑ If V_{out} deviates from its target, an error is created and fed-back to the power stage for action.
- ❑ The action is a change in the control variable: duty-cycle (VM), peak current (CM) or the switching frequency.

➡ Compensating for the converter shortcomings!



The Feedback Implementation

- ❑ V_{out} is permanently compared to a reference voltage V_{ref} .
- ❑ The reference voltage V_{ref} is precise and stable over temperature.
- ❑ The error, $\varepsilon = V_{ref} - \alpha V_{out}$, is amplified and sent to the control input.
- ❑ The power stage reacts to reduce ε as much as it can.



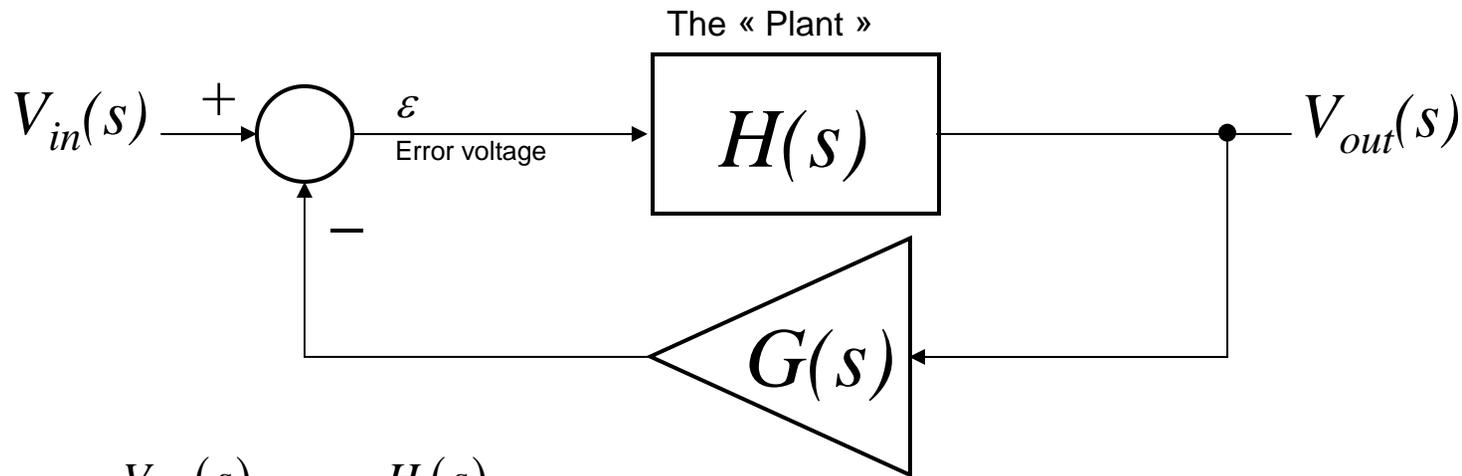
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Positive or Negative Feedback?

- Do we want to build an oscillator?



$$\frac{V_{out}(s)}{V_{in}(s)} = \frac{H(s)}{1 + \boxed{H(s)G(s)}} \rightarrow \text{Open-loop gain } T(s)$$

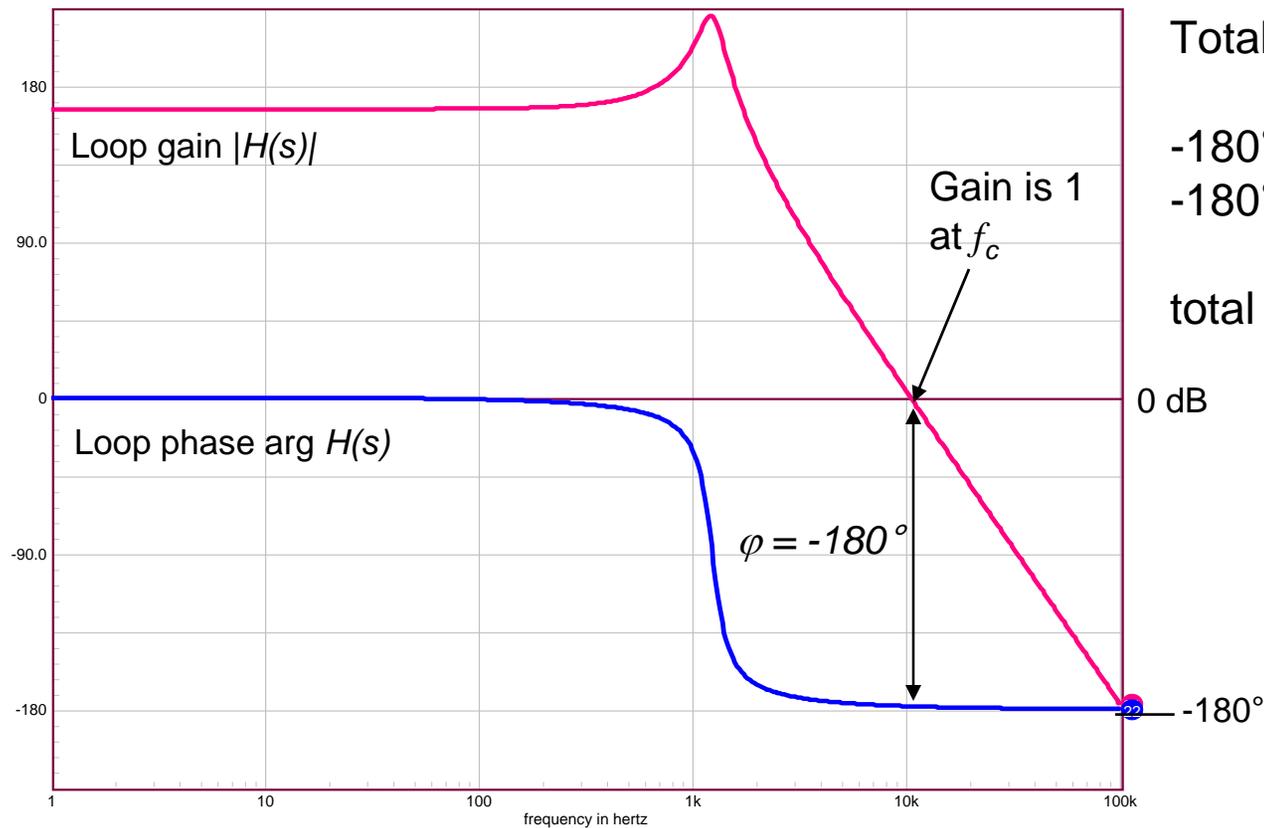
$$V_{out}(s) = \lim_{V_{in}(s) \rightarrow 0} \left[\frac{H(s)}{1 \pm \underbrace{G(s)H(s)}_{=1}} V_{in}(s) \right]$$

To sustain self-oscillations, as $V_{in}(s)$ goes to zero, quotient must go infinite

Sign is neg for:
 $\phi = -180^\circ$

Conditions for Oscillations

- ❑ when the open-loop gain equals 1 (0 dB) – cross over point
- ❑ total rotation is -360° : -180° for $H(s)$ and -180° for $G(s)$
- we have self-sustaining oscillating conditions



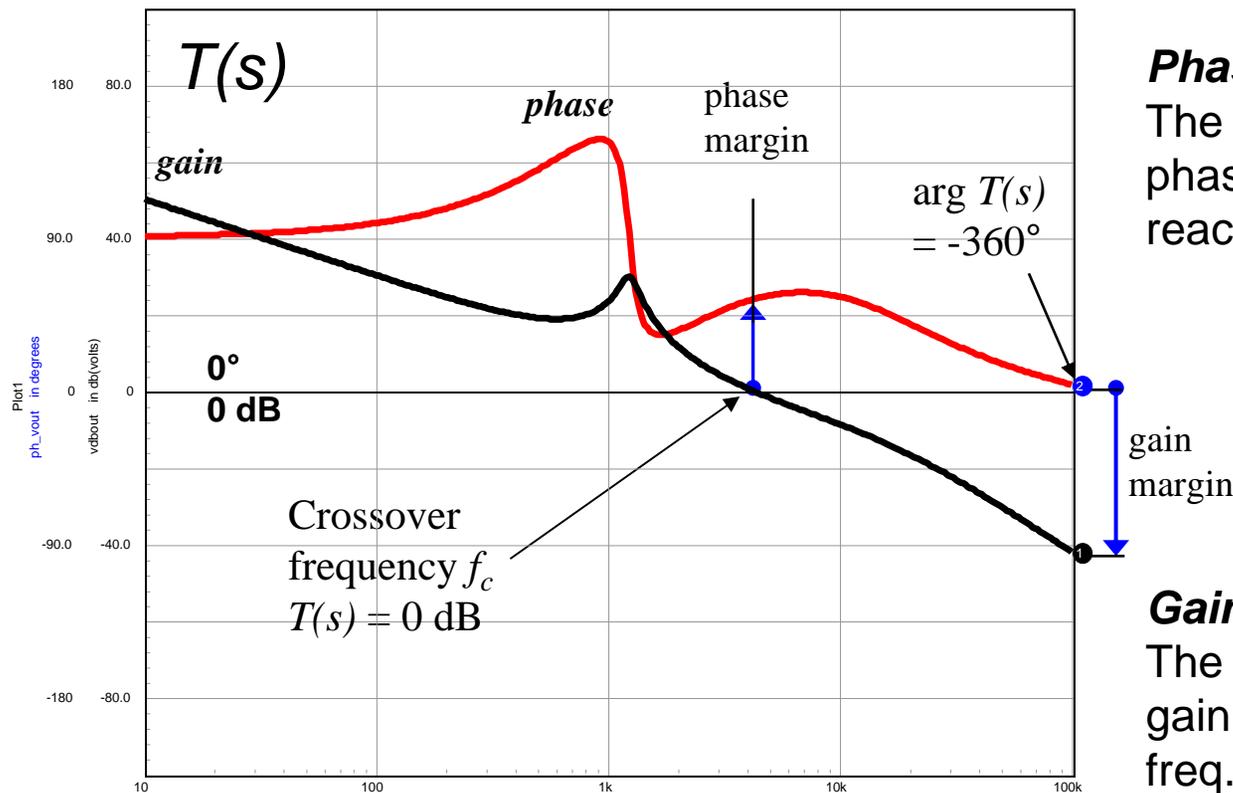
Total phase delay at f_c :

-180° $H(s)$ power stage
 -180° $G(s)$ opamp

total = -360°

The Need for Phase Margin

- we need **phase** margin when $T(s) = 0$ dB
- we need **gain** margin when $\arg T(s) = -360^\circ$



Phase margin:

The margin before the loop phase rotation $\arg T(s)$ reaches -360° at $T(s) = 0$ dB

Gain margin:

The margin before the loop gain $T(s)$ reaches 0 dB at a freq. where $\arg T(s) = -360^\circ$

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Poles and Zeros

- A plant (power stage) loop gain is defined by:

$$H(s) = \frac{N(s)}{D(s)} \begin{array}{l} \longrightarrow \text{numerator} \\ \longrightarrow \text{denominator} \end{array}$$

- solving for $N(s) = 0$, the roots are called the **zeros**
- solving for $D(s) = 0$, the roots are called the **poles**

$$H(s) = \frac{(s + 5k)(s + 30k)}{s + 1k}$$

Two zeros

$s_{z_1} = -5k$

$s_{z_2} = -30k$

One pole

$s_{p_1} = -1k$

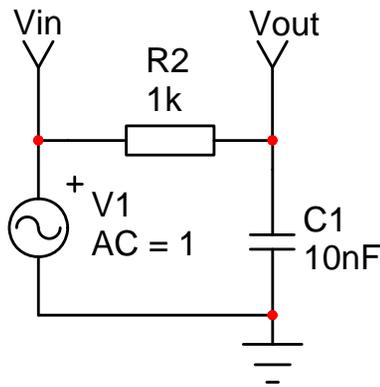
→

$$f_{z_1} = \frac{5k}{2\pi} = 796 \text{ Hz}$$
$$f_{z_2} = \frac{30k}{2\pi} = 4.77 \text{ kHz}$$
$$f_{p_1} = \frac{1k}{2\pi} = 159 \text{ Hz}$$



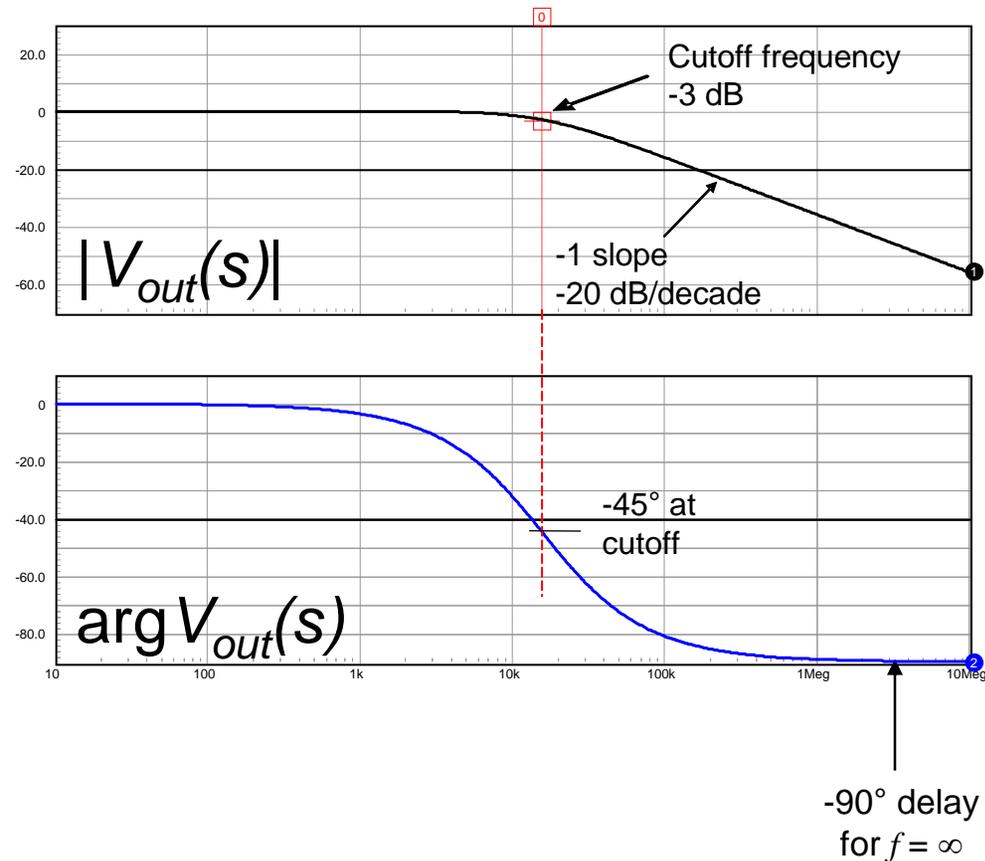
Poles and Zeros

- A **pole** lags the phase by -45° at its cutoff frequency



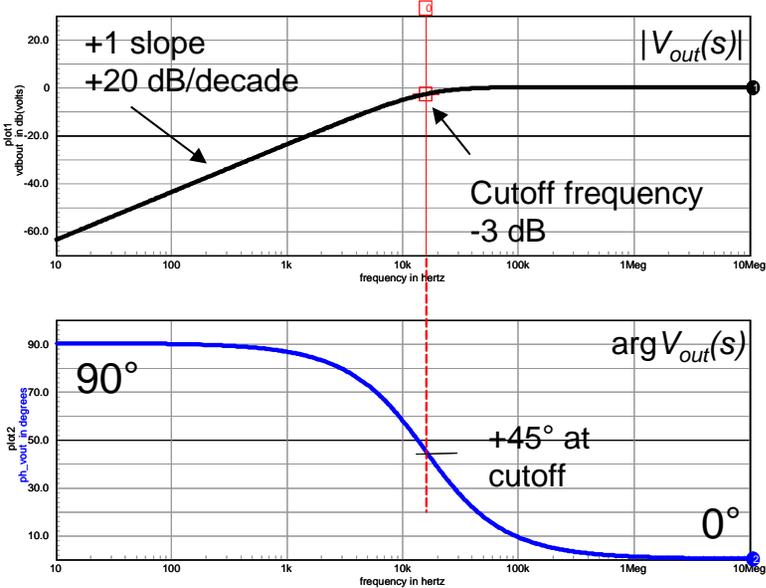
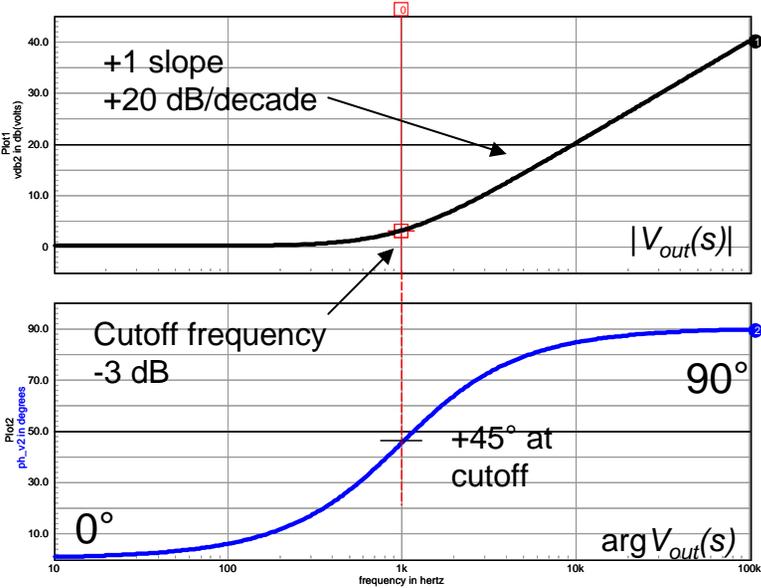
$$\frac{V_{out}(s)}{V_{in}(s)} = \frac{1}{1 + sRC} = \frac{1}{1 + \frac{s}{\omega_0}}$$

$$\omega_0 = \frac{1}{RC}$$



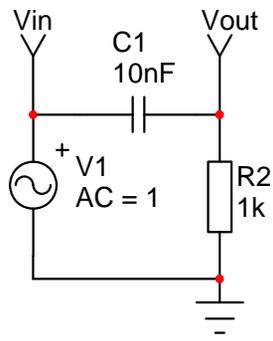
Poles and Zeros

□ A **zero** boosts the phase by $+45^\circ$ at its cutoff frequency



The general form of a zero:

$$G(s) = 1 + \frac{s}{\omega_0}$$



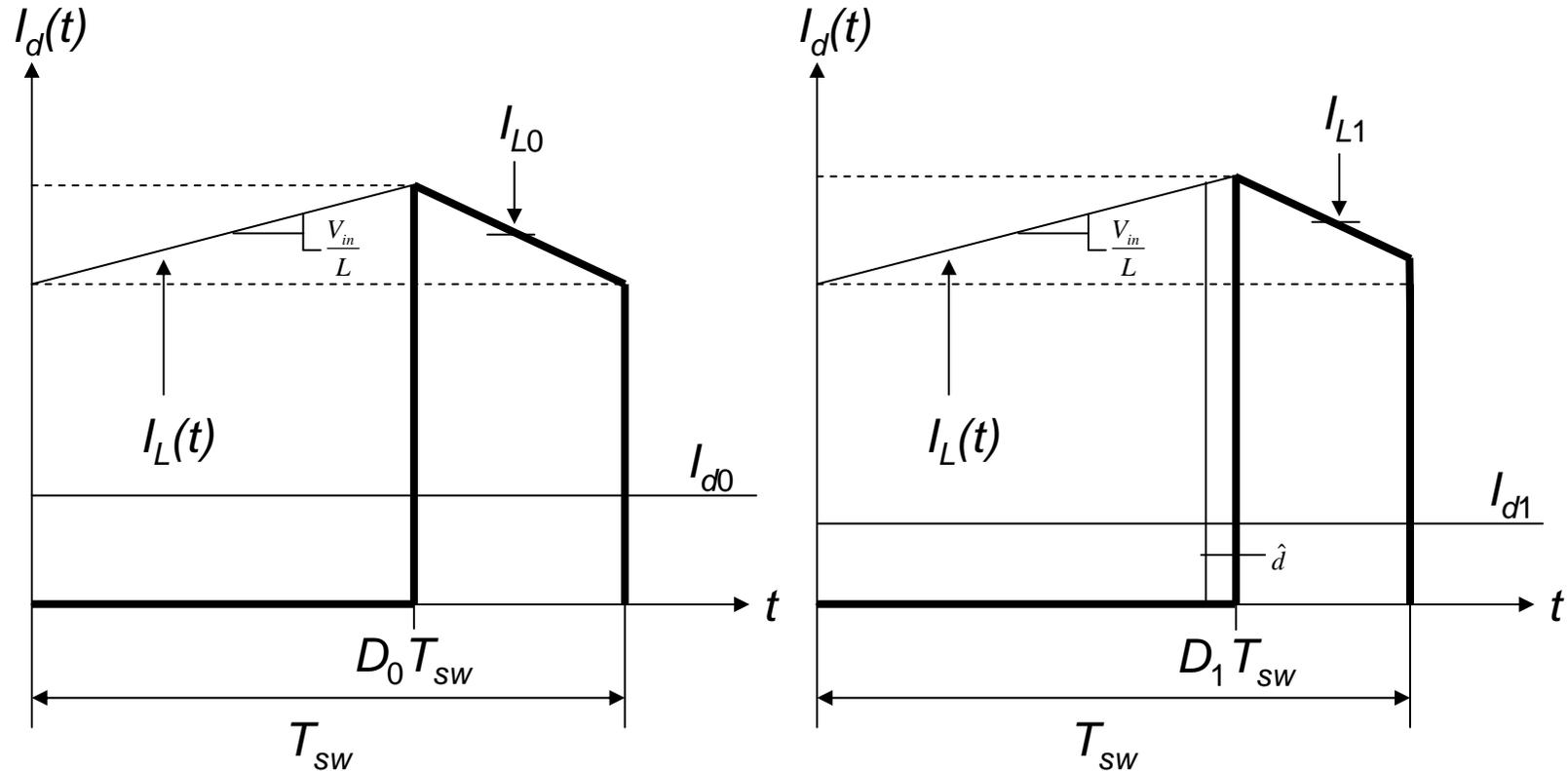
$$\frac{V_{out}(s)}{V_{in}(s)} = \frac{sRC}{1 + sRC} = \frac{\frac{s}{\omega_0}}{1 + \frac{s}{\omega_0}}$$

$$\omega_0 = \frac{1}{RC}$$



The Right Half-Plane Zero

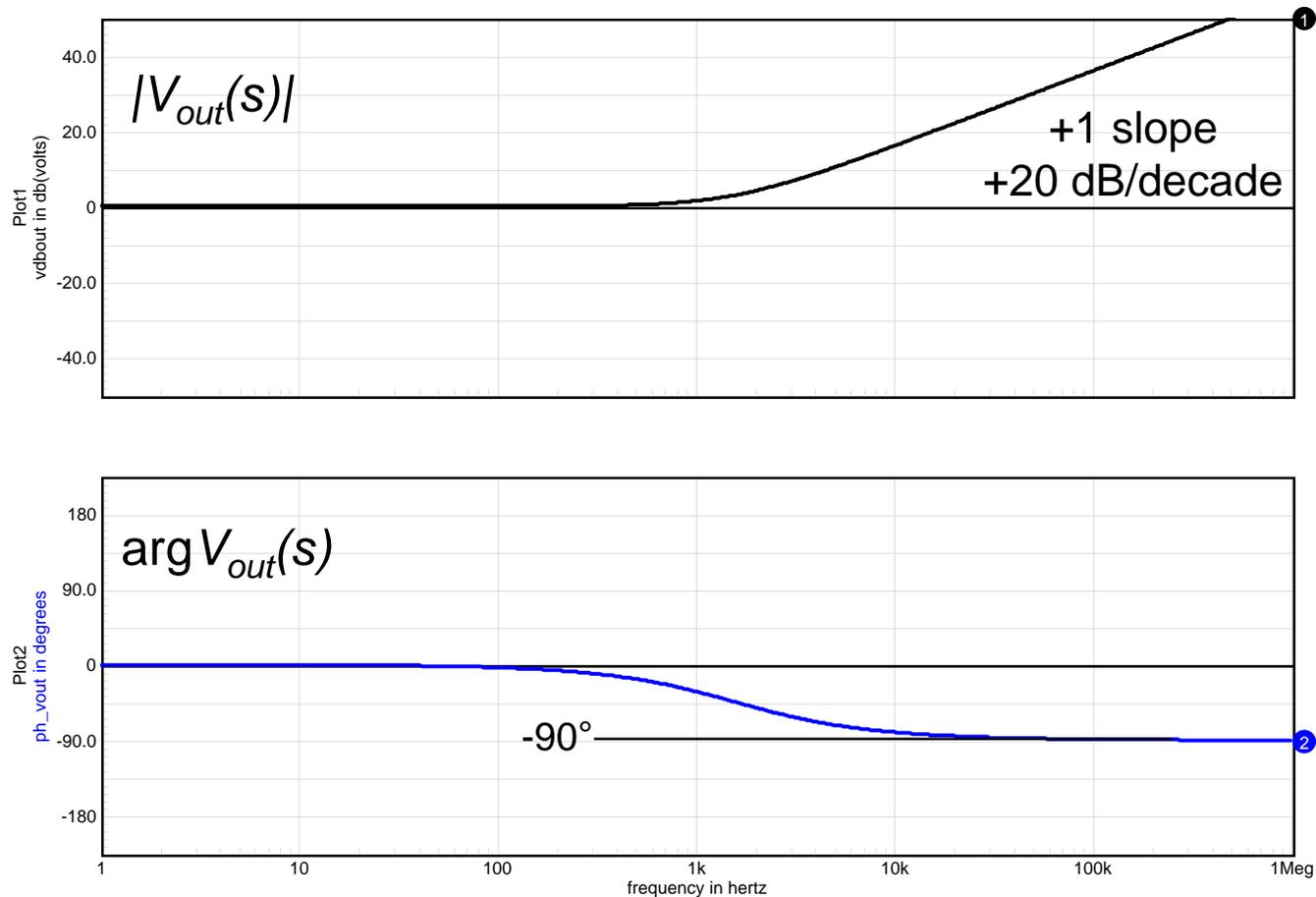
- In a CCM boost, I_{out} is delivered during the off time: $I_{out} = I_d = I_L(1-D)$



- If D brutally increases, D' reduces and I_{out} drops!
- What matters is the inductor current slew-rate $\longrightarrow \frac{d\langle V_L \rangle(t)}{dt}$
- Occurs in flybacks, buck-boost, Cuk etc.

The Right-Half-Plane-Zero

- With a RHPZ we have a boost in gain but a lag in phase!



LHPZ

$$G(s) = 1 + \frac{s}{\omega_0}$$

RHPZ

$$G(s) = 1 - \frac{s}{\omega_0}$$

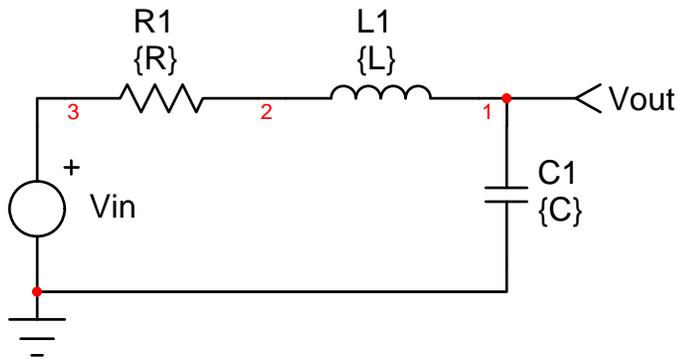
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How much Margin? The *RLC* Filter

- let us study an *RLC* low-pass filter, a 2nd order system



$$T(s) = \frac{1}{LCs^2 + RCs + 1}$$

$$T(s) = \frac{1}{\frac{s^2}{\omega_r^2} + 2\zeta \frac{s}{\omega_r} + 1} = \frac{1}{\frac{s^2}{\omega_r^2} + \frac{s}{\omega_r Q} + 1}$$

$$\omega_r = \frac{1}{\sqrt{LC}}$$

$$\zeta = R \sqrt{\frac{C}{4L}} \quad Q = \frac{1}{2\zeta}$$

↓
zeta

ω_r resonant freq.
 ζ damping factor
 Q quality coeff.

parameters

$f_0 = 235\text{k}$

$L = 10\mu$

$C = 1 / (4 * 3.14159^2 * f_0^2 * L)$

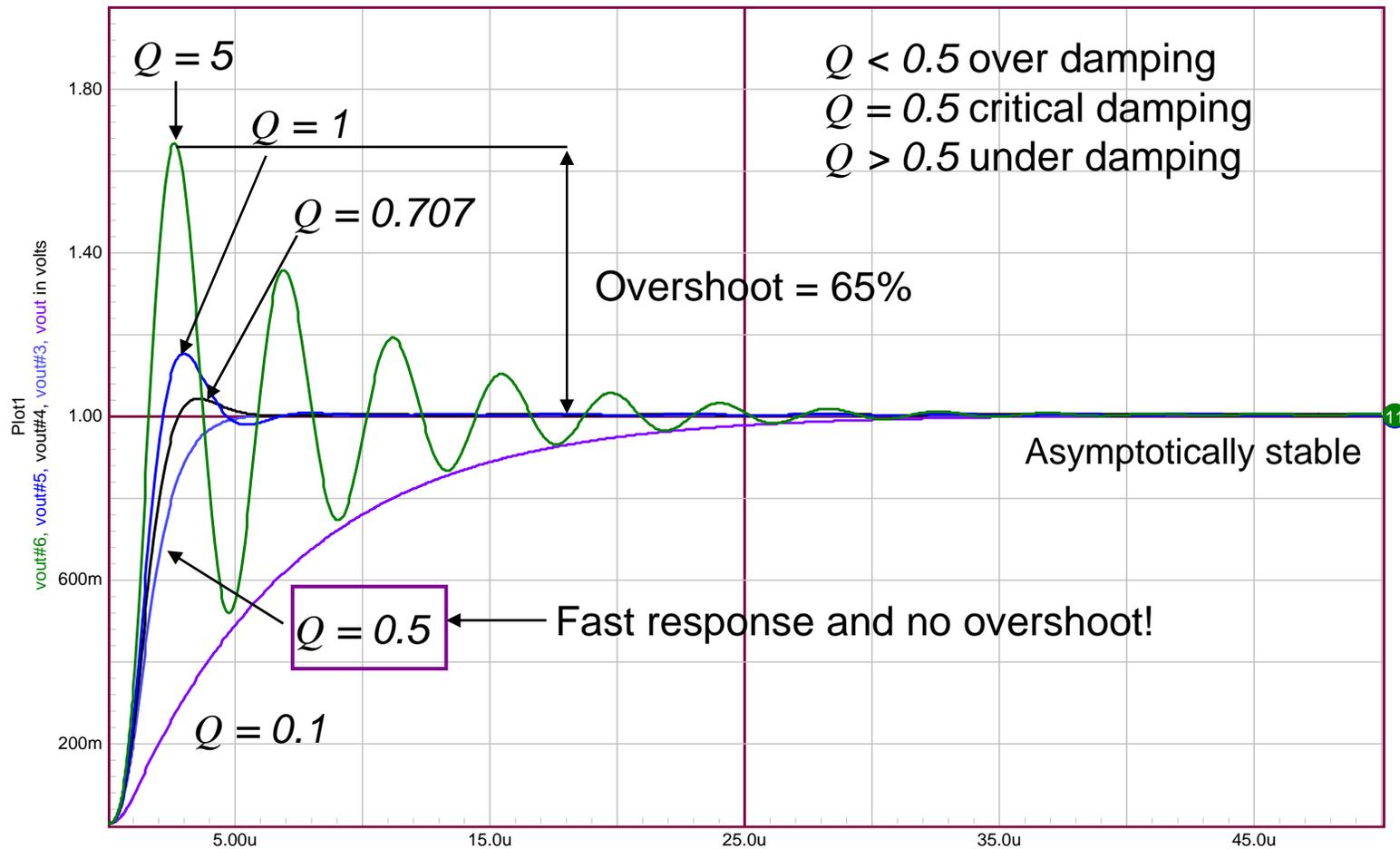
$w_0 = (\{L\} * \{C\})^{-0.5}$

$Q = 10$

$R = 1 / (((\{C\} / (4 * \{L\}))^{0.5}) * 2 * \{Q\})$

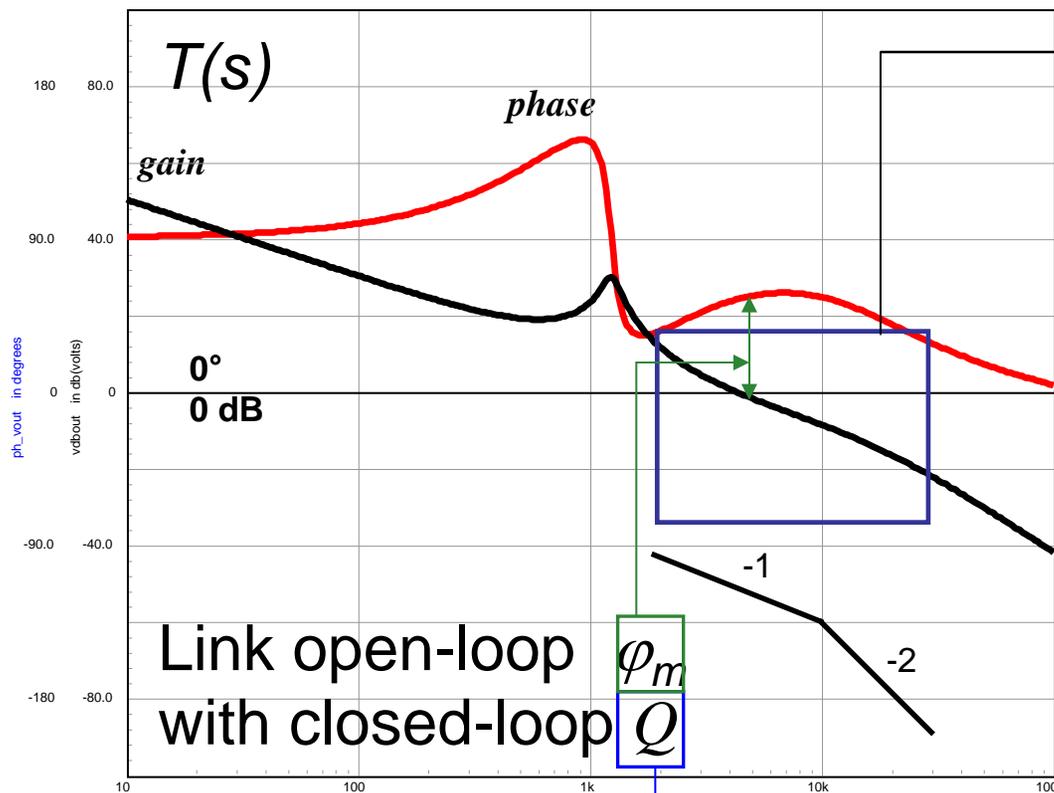
The *RLC* Response to an Input Step

□ changing Q affects the transient response



Where is the Analogy with $T(s)$?

- in the vicinity of the crossover point, $T(s)$ combines:
 - one pole at the origin, ω_0 and one high frequency pole, ω_2
 - ✓ Link the closed-loop response to the open-loop phase margin:



$$T(s) = \frac{1}{\left(\frac{s}{\omega_0}\right)\left(1 + \frac{s}{\omega_2}\right)} \quad (\text{OL})$$

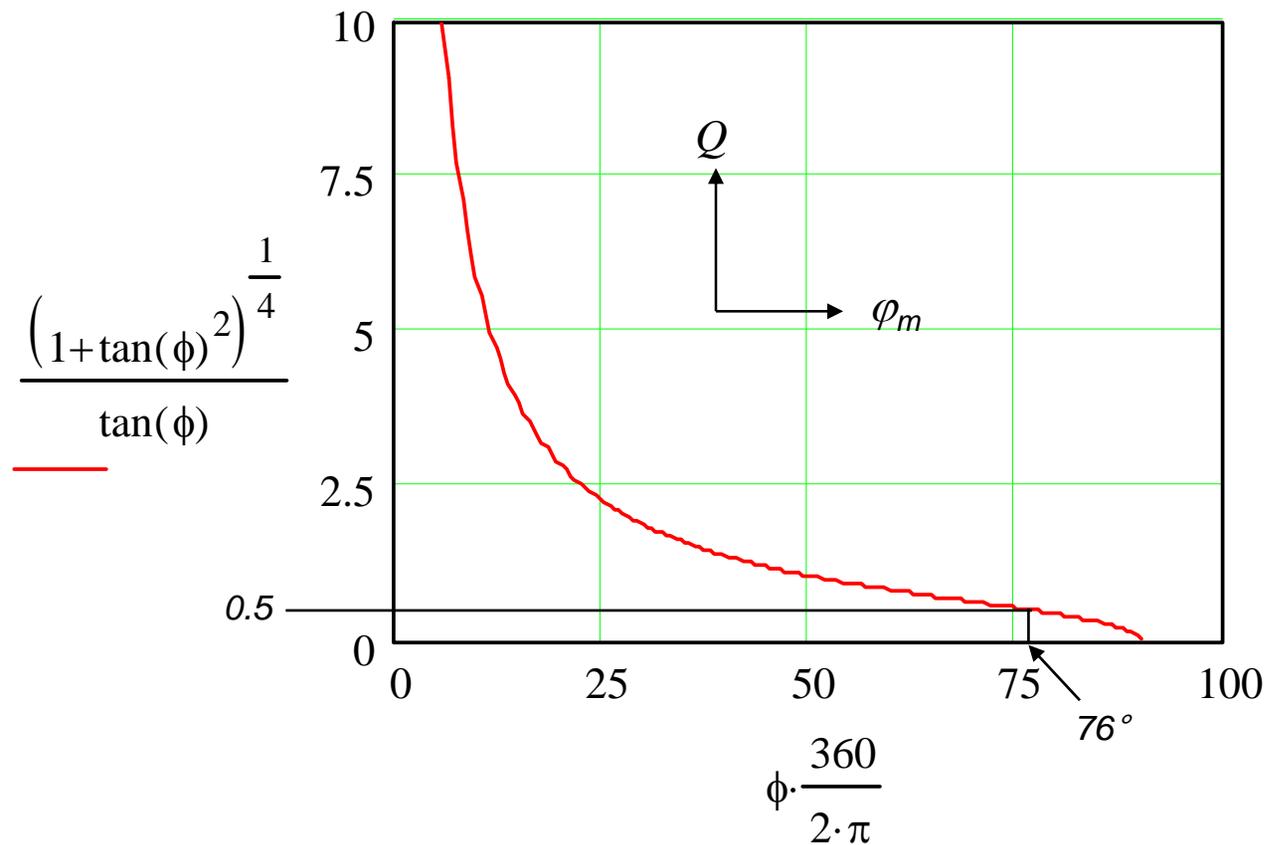
Close the loop

$$\frac{T(s)}{1+T(s)} = \frac{1}{\frac{s^2}{\omega_0\omega_2} + \frac{s}{\omega_0} + 1} \quad (\text{CL})$$

$$\frac{T(s)}{1+T(s)} = \frac{1}{\frac{s^2}{\omega_r^2} + \frac{s}{\omega_r Q} + 1}$$

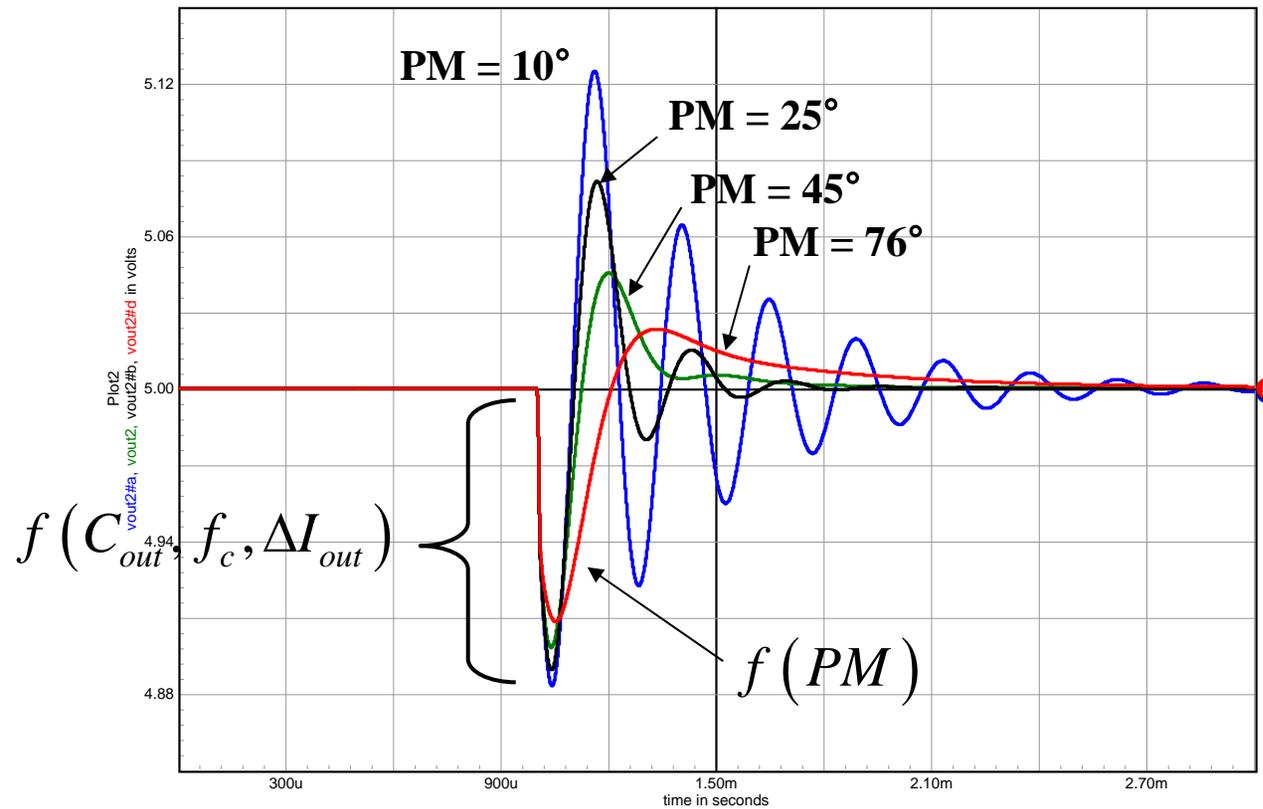
Closed-Loop Q Versus Open-Loop φ_m

- ❑ a Q factor of 0.5 (critical response) implies a φ_m of 76°
- ❑ a 45° φ_m corresponds to a Q of 1.2: oscillatory response!



Summary on the Design Criteria

- ❑ compensate the open-loop gain for a phase margin of 70°
- ❑ make sure the open-loop gain margin is better than 15 dB
- ❑ never accept a phase margin lower than 45° in worst case



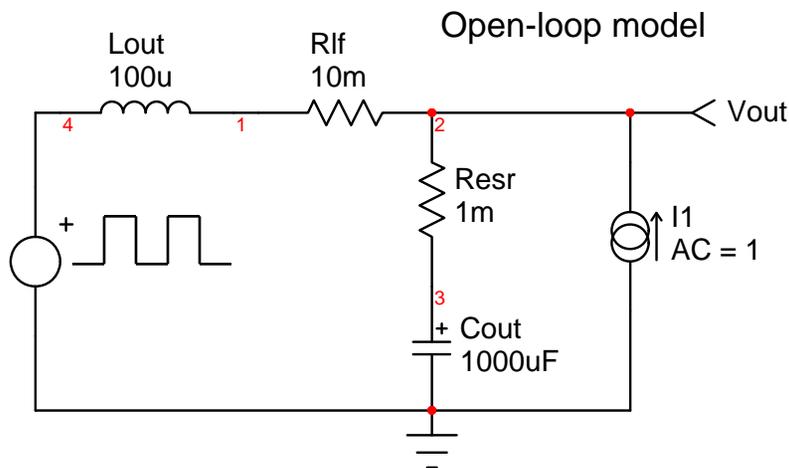
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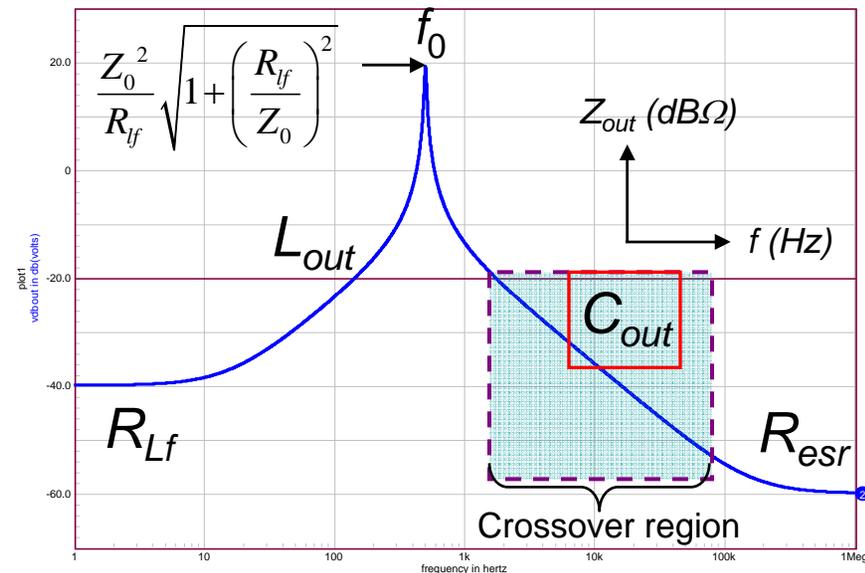
DC-DC Output Impedance

- ❑ A DC-DC conv. combines an inductor and a capacitor
- ❑ As f is swept, different elements dominate $Z_{out,OL}$



A buck equivalent circuit

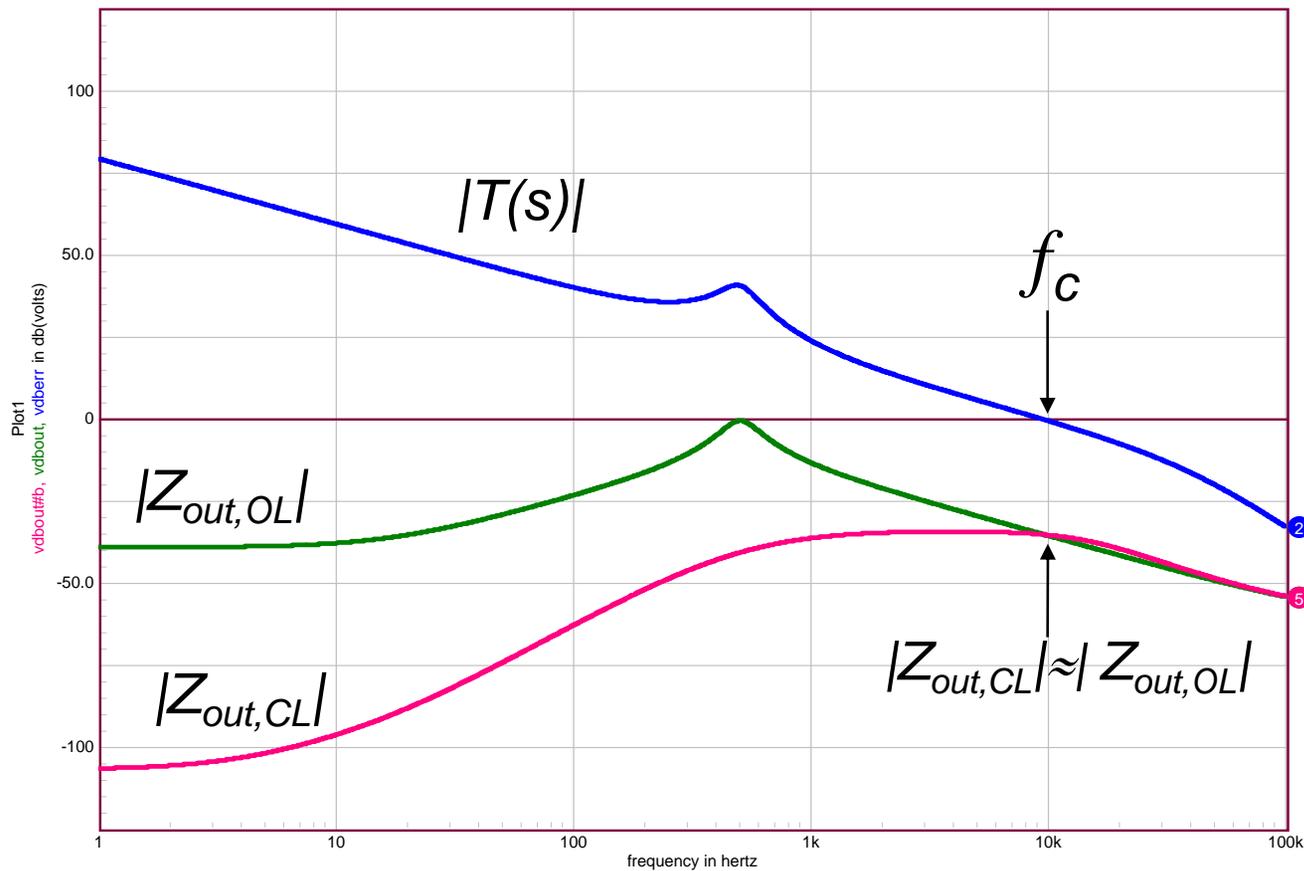
$$Z_{out} = (sL_{out} + R_{Lf}) \parallel \left(R_{esr} + \frac{1}{sC_{out}} \right)$$



To avoid stability issues,
 $f_c \gg f_0$

Closing the Loop...

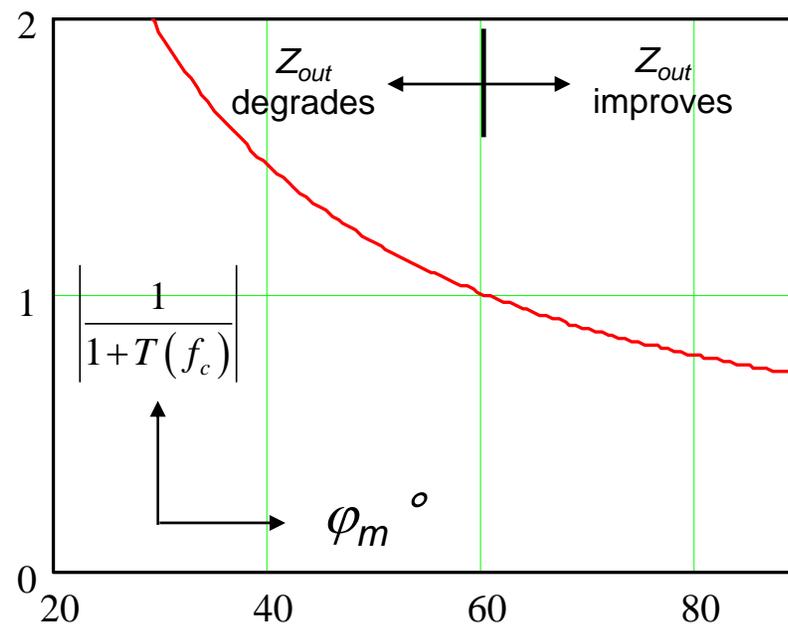
□ At the crossover frequency $Z_{out,CL} \approx Z_{out,OL}$



Calculating the Output Impedance

- the closed-loop output impedance is dominated by C_{out}

$$|Z_{out,CL}| \approx \frac{1}{2\pi f_c C_{out}} \left| \frac{1}{1+T(s)} \right| \approx \frac{1}{2\pi f_c C_{out}} \frac{1}{\sqrt{2-2\cos(\varphi_m)}}$$



Open-loop phase margin affects the closed-loop output impedance

An Example with a Buck

- ❑ Let's assume an output capacitor of 1 mF
- ❑ The spec states a 80 mV undershoot for a 2 A step
- ❑ How to select the crossover frequency?

$$\Delta V_{out} \approx \frac{\Delta I_{out}}{2\pi f_c C_{out}} \longrightarrow f_c \approx \frac{\Delta I_{out}}{\Delta V_{out} C_{out} 2\pi}$$

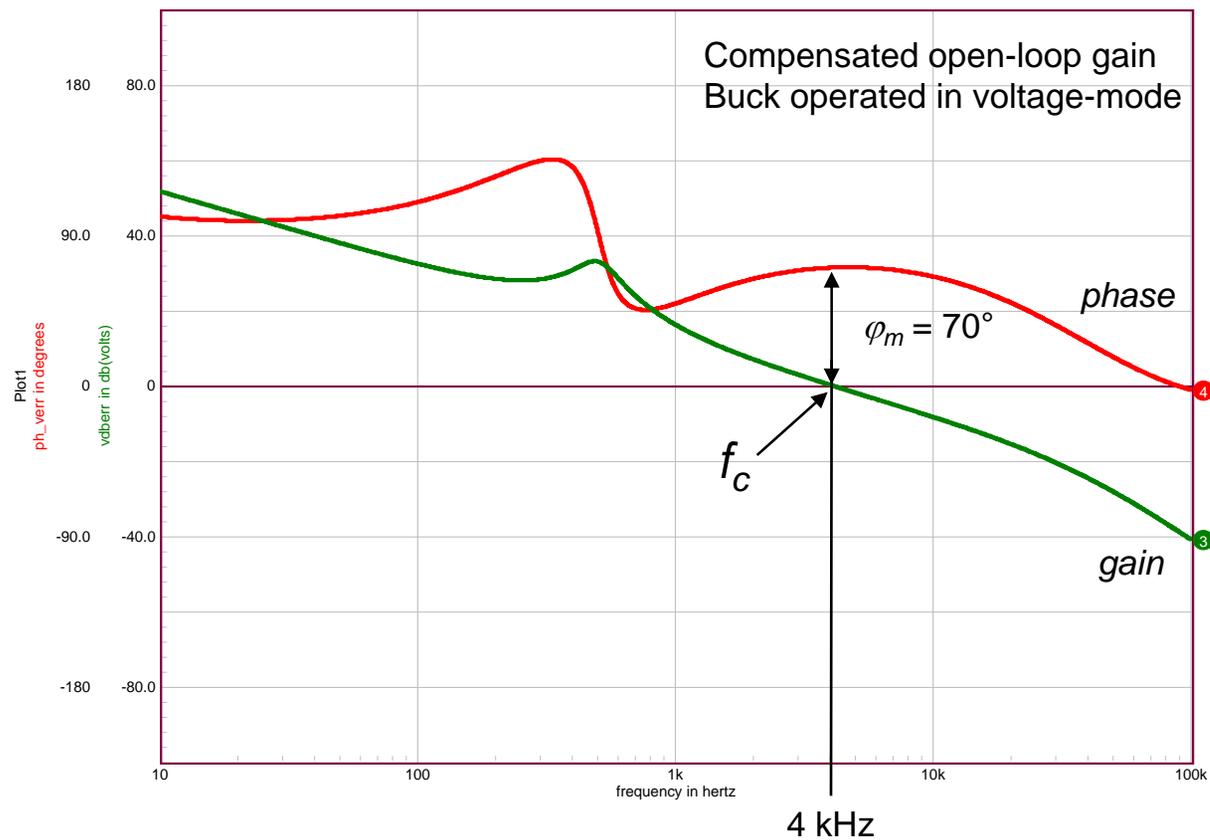
$$f_c \approx \frac{2}{80m \times 1m \times 2\pi} = 4 \text{ kHz} \quad Z_{C_{out}} @ 4 \text{ kHz} = \frac{1}{2\pi \times 4k \times 1m} = 40 \text{ m}\Omega$$



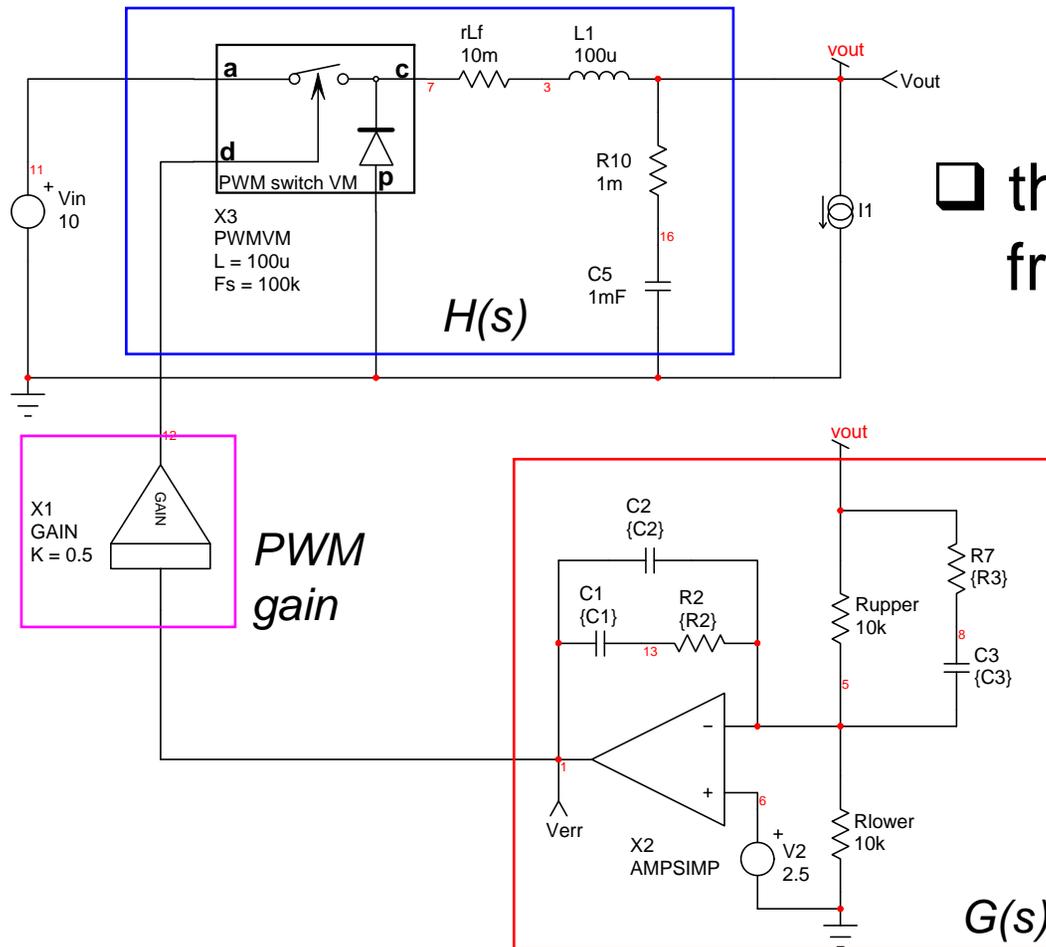
Select a 1000- μ F capacitor featuring less than a 40-m Ω ESR

Setting the Right Crossover Frequency

- Compensate the converter for a 4 kHz f_c

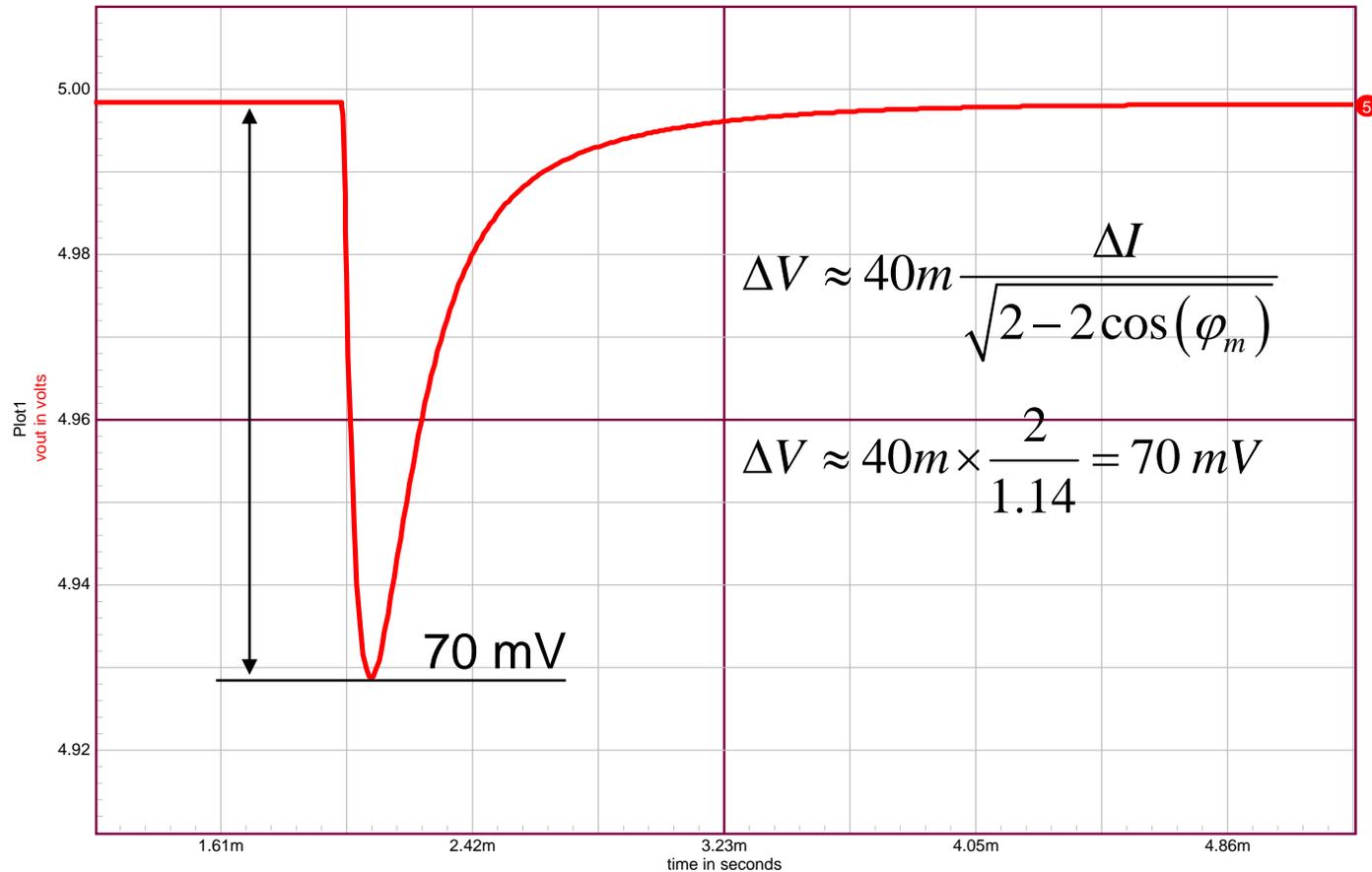


Step Load the Output



the load varies from 100 mA to 2.1 A

Measure the Obtained Undershoot



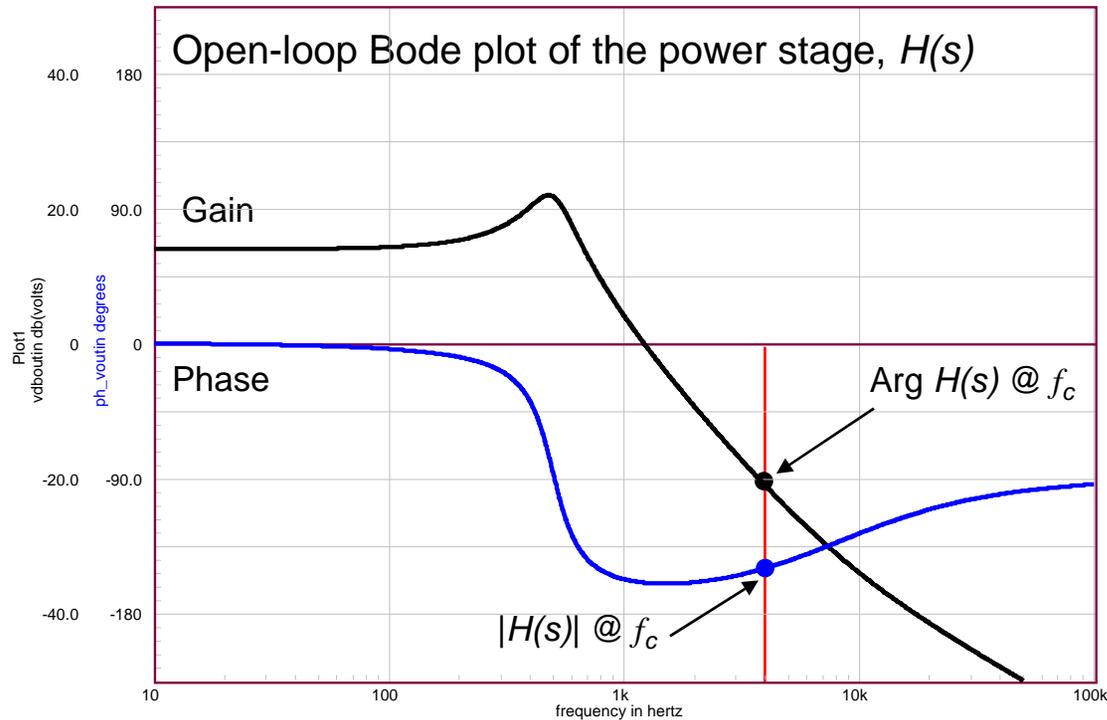
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How do we Stabilize the Converter?

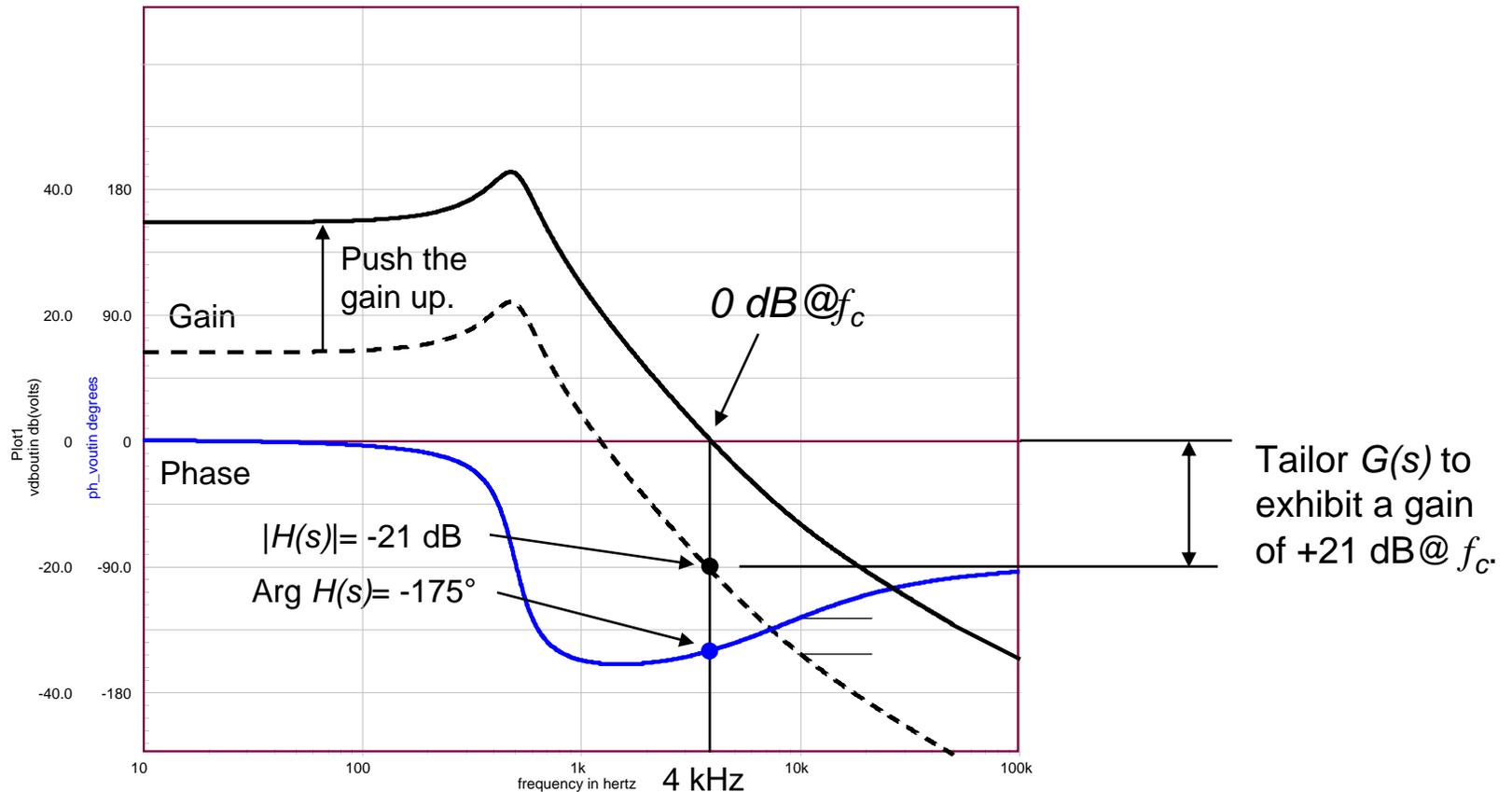
1. Select the crossover frequency f_c (assume 4 kHz)
2. Provide a high dc gain for a low static error and good input rejection
3. Shoot for a 70° phase margin at f_c
4. Evaluate the needed phase boost at f_c to meet (3)
5. Shape the $G(s)$ path to comply with 1, 2 and 3



$$A_{sc,CL}(s) = \frac{A_{sc,OL}(s)}{1+T(s)}$$

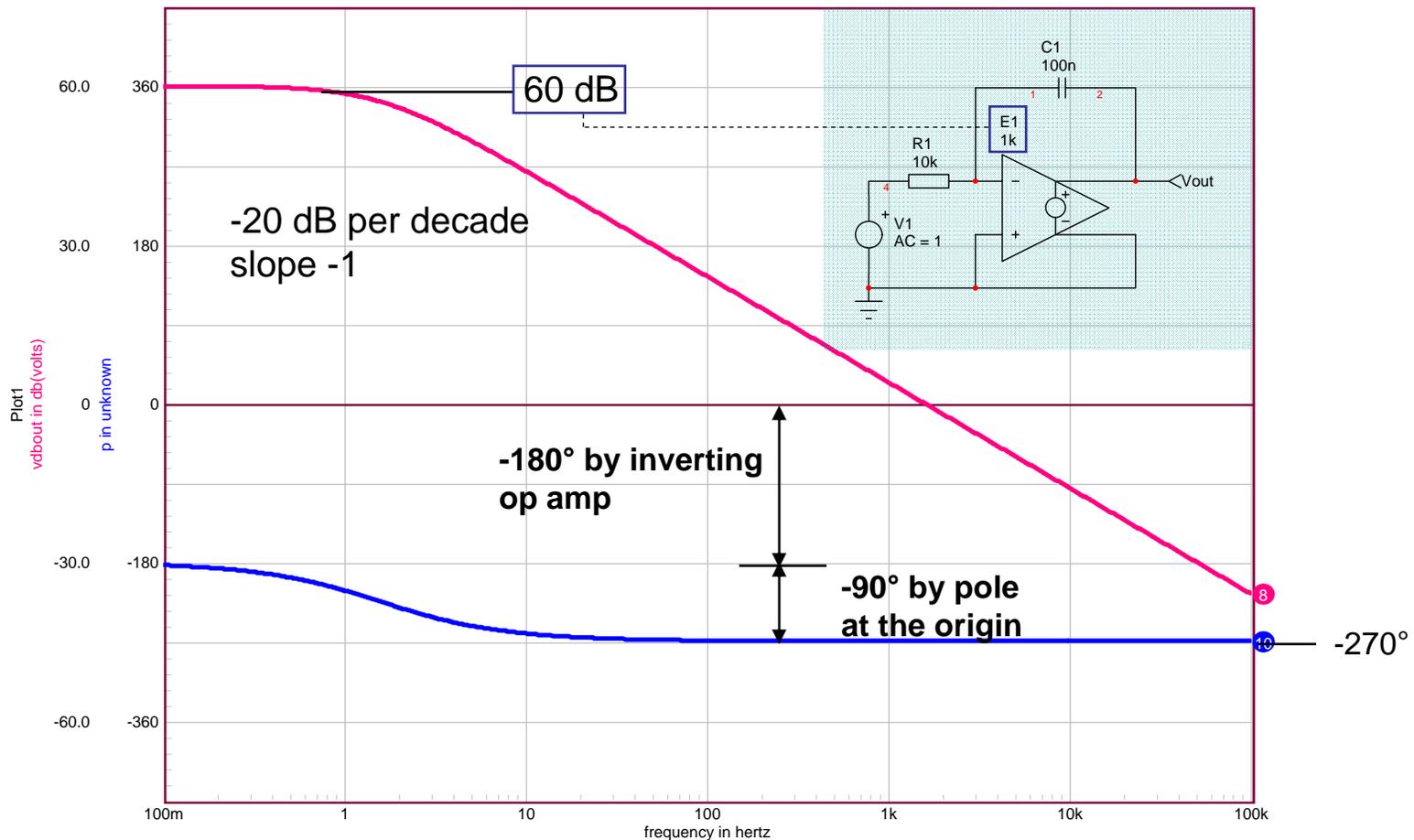
First, Provide Mid-Band Gain at Crossover

1. Adjust $G(s)$ to boost the gain by +21 dB at crossover
 - Create the so-called mid-band gain

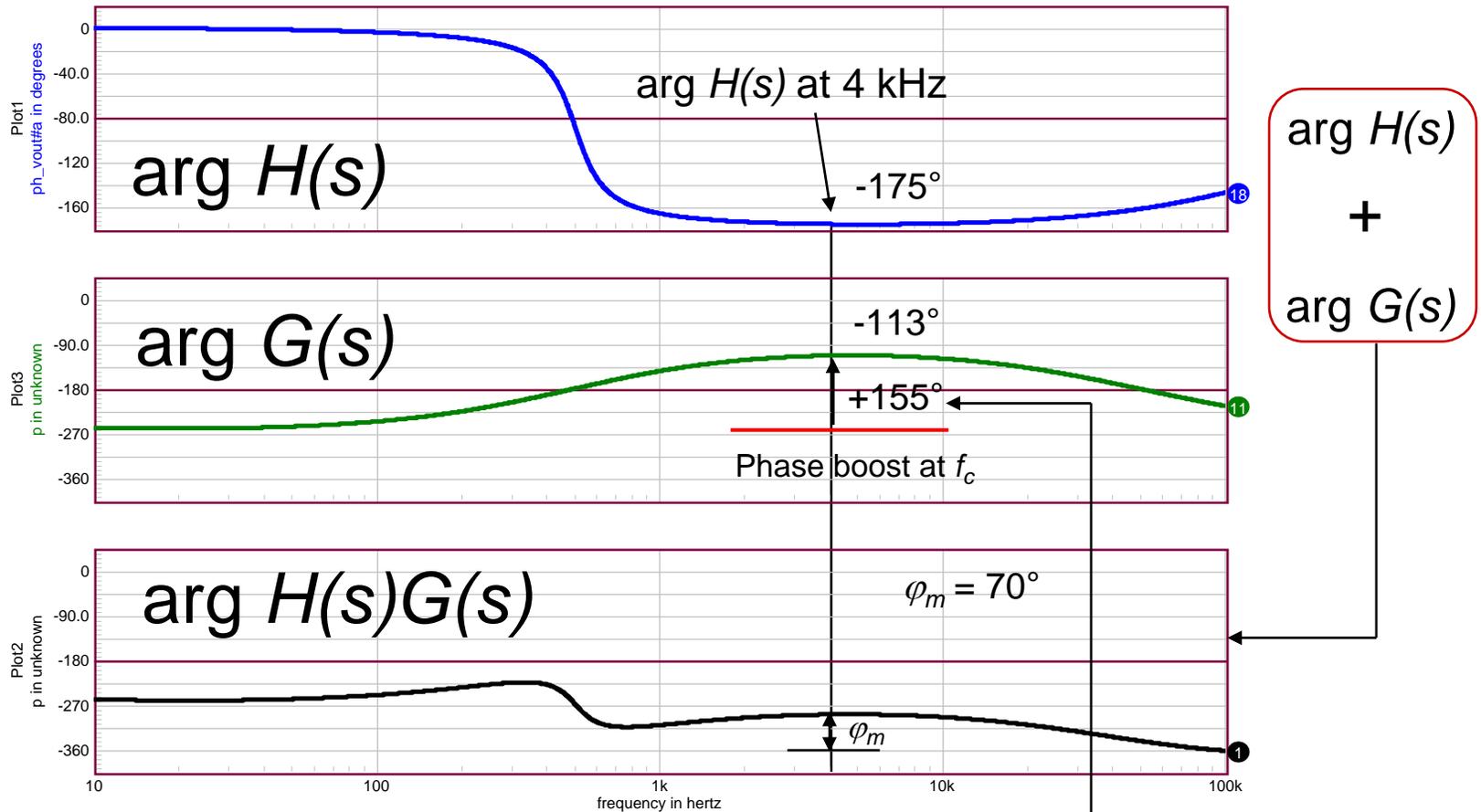


Second, Provide High Gain in DC

2. An integrator provides a high dc gain but rotates by -270°
 - This is the origin pole



Third, Evaluate the Phase Boost at f_c



$$\arg H(f_c) - 270^\circ + \text{BOOST} - \varphi_m = -360^\circ$$

$$\text{BOOST} = \varphi_m - \arg H(f_c) - 90^\circ = 70^\circ + 175 - 90 = 155^\circ$$

How do We Boost the Phase at f_c ?

- The phase boost is created by combining zeros and poles

$$G(j\omega) = \frac{\left(1 + j\frac{\omega}{\omega_{z1}}\right)}{\left(1 + j\frac{\omega}{\omega_{p1}}\right)} \quad \arg G(j\omega) = \text{boost} = \arg \frac{\left(1 + j\frac{\omega}{\omega_{z1}}\right)}{\left(1 + j\frac{\omega}{\omega_{p1}}\right)}$$

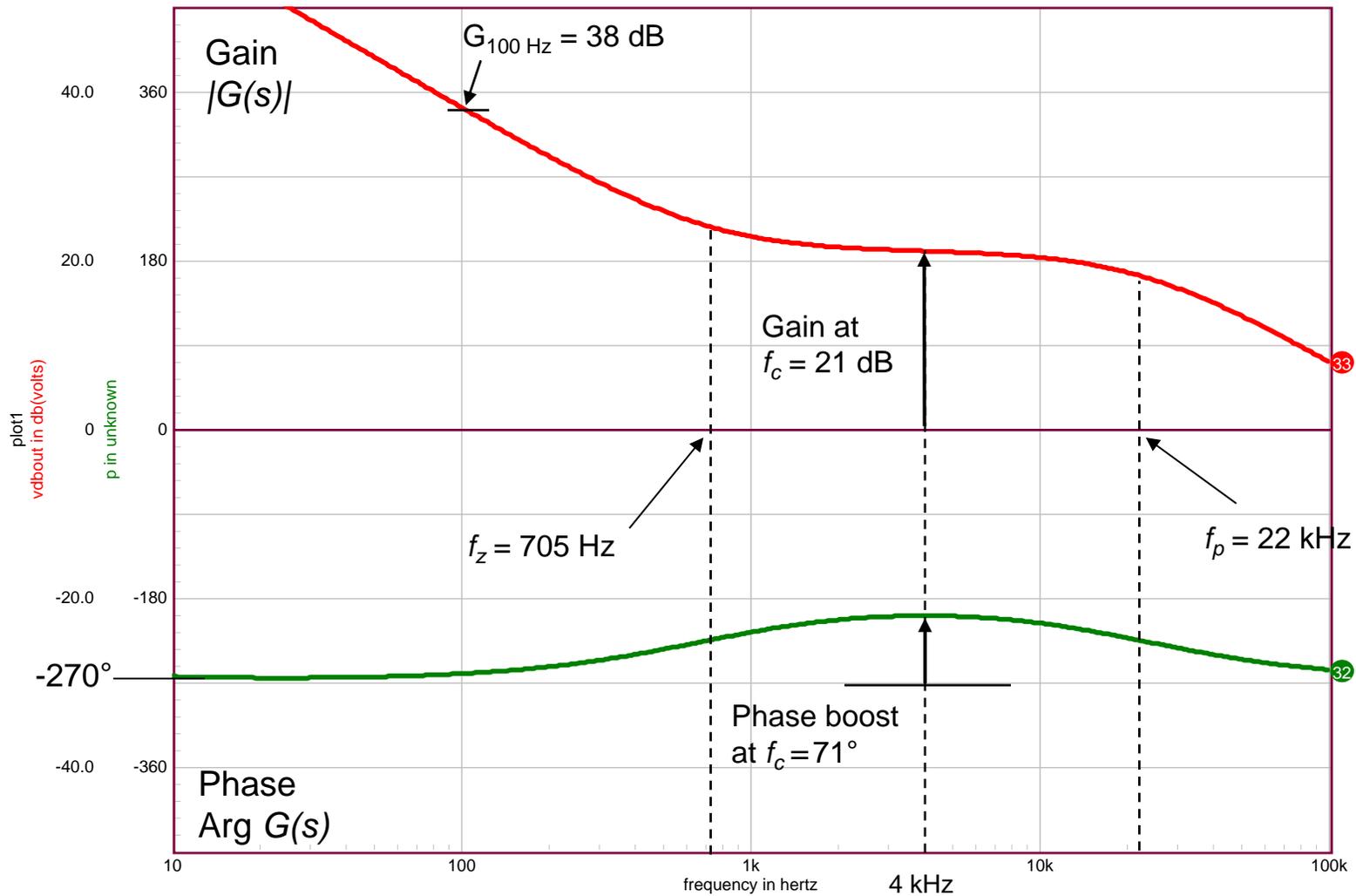
$$\arg G(f_c) = \arctan\left(\frac{f_c}{f_{z1}}\right) - \arctan\left(\frac{f_c}{f_{p1}}\right)$$

Assume 1 zero placed at 705 Hz, 1 pole at 22 kHz and a 4-kHz crossover frequency:

$$\arg G(4 \text{ kHz}) = \arctan\left(\frac{4k}{705}\right) - \arctan\left(\frac{4k}{22k}\right) = 80 - 10.3 \approx 70^\circ$$

- If poles and zeros are coincident, no phase boost!

How do We Boost the Phase at f_c ?

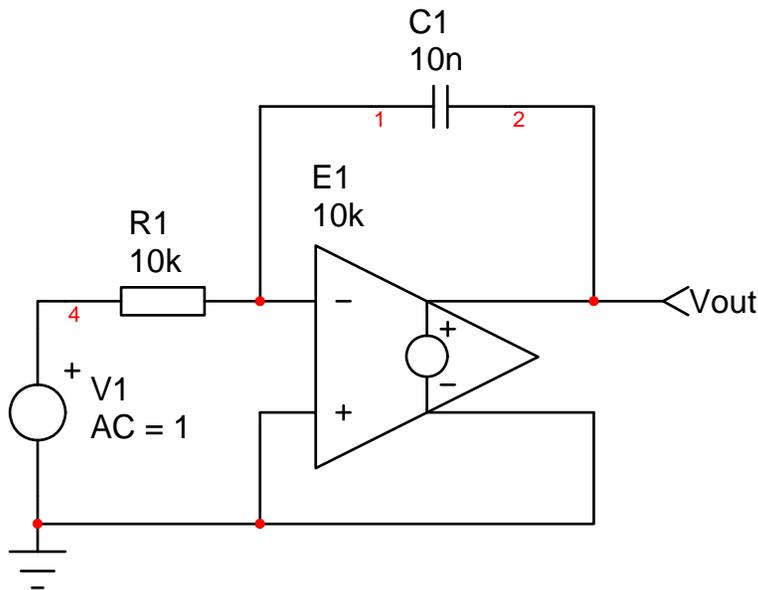


Type 2



How do We Boost the Phase at f_c ?

- ❑ The type 1 configuration
- ❑ No phase boost, pure integral term
- ❑ Permanent phase lag of -270°
- ❑ Ok if $\arg H(f_c) < -45^\circ$ for a φ_m of 45°



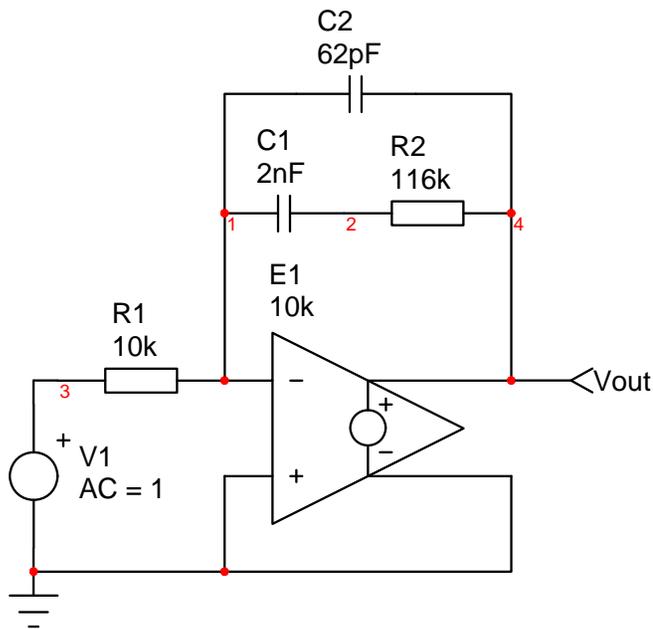
$$G(s) = \frac{V_{out}(s)}{V_{in}(s)} = \frac{1}{sR_1C_1} = \frac{1}{s}$$
$$\omega_{p1} = \frac{1}{R_1C_1}$$

1 pole at the origin

Type 1

How do We Boost the Phase at f_c ?

- ❑ The type 2 configuration
- ❑ Phase boost up to 90°
- ❑ Ok if $\arg H(f_c) < -90^\circ$



$$G(s) = -\frac{1 + sR_2C_1}{sR_1(C_1 + C_2) \left(1 + sR_2 \left[\frac{C_1C_2}{C_1 + C_2} \right] \right)}$$

If $C_2 \ll C_1$

$$\omega_{po} = \frac{1}{R_1C_1} \quad \omega_{p1} = \frac{1}{R_2C_2} \quad \omega_{z1} = \frac{1}{R_2C_1}$$

1 pole at the origin

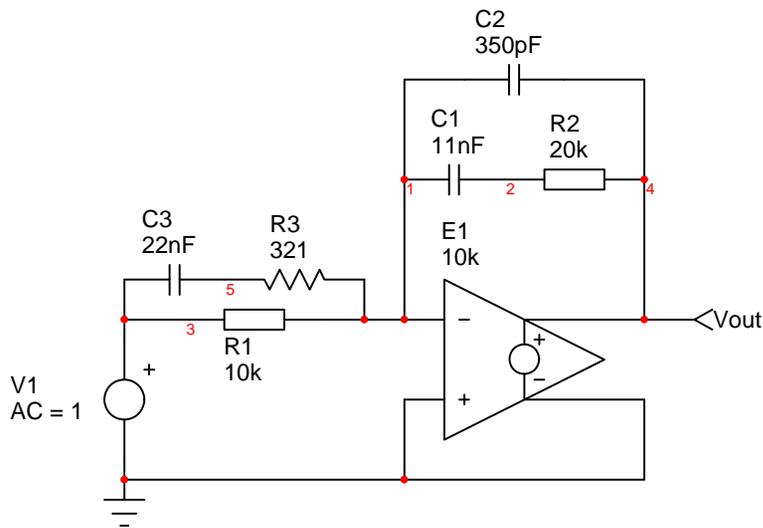
1 zero

1 pole

Type 2

How do We Boost the Phase at f_c ?

- ❑ The type 3 configuration
- ❑ Phase boost up to 180°
- ❑ Ok if $\arg H(f_c) < -180^\circ$



$$G(s) = - \frac{sR_2C_1 + 1}{sR_1(C_1 + C_2) \left(1 + sR_2 \frac{C_1C_2}{C_1 + C_2} \right)} \frac{sC_3(R_1 + R_3) + 1}{(sR_3C_3 + 1)}$$

If $C_2 \ll C_1$ and $R_3 \ll R_1$

$$\omega_{z1} = \frac{1}{R_2C_1} \quad \omega_{z2} = \frac{1}{R_1C_3} \quad \omega_{po} = \frac{1}{R_1C_1}$$

$$\omega_{p1} = \frac{1}{R_3C_3} \quad \omega_{p2} = \frac{1}{R_2C_2}$$

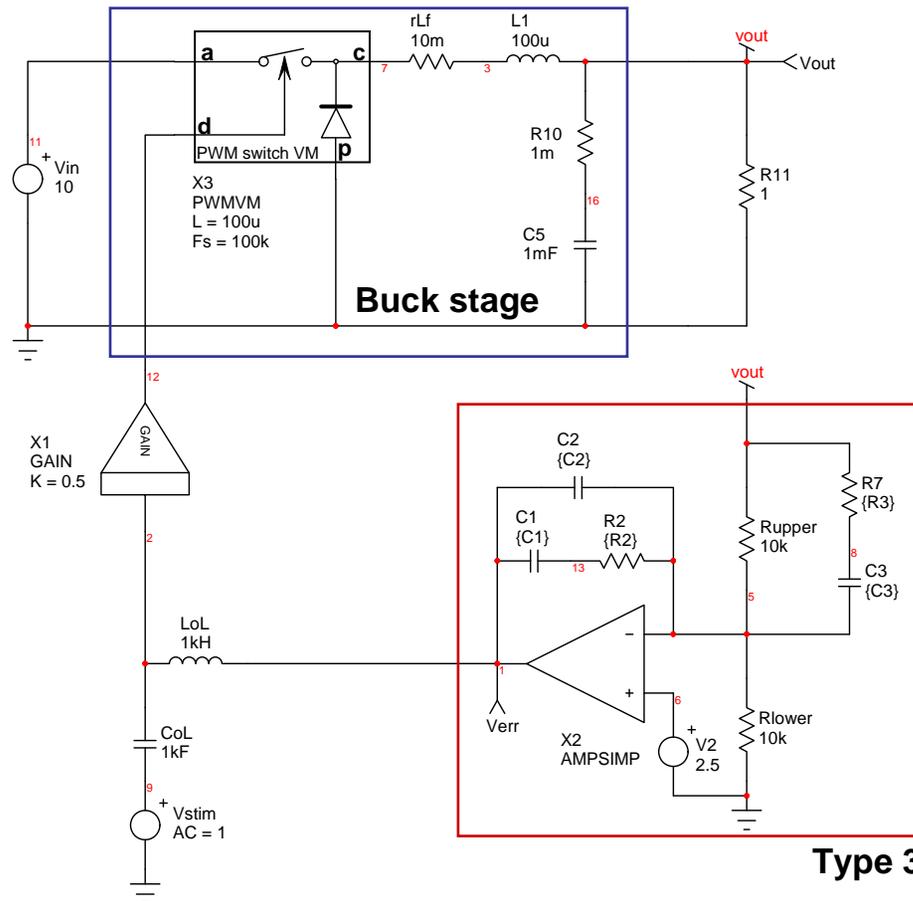
1 pole at the origin
 2 zeros
 2 poles

Type 3



Finally, We Test the Open-Loop Gain

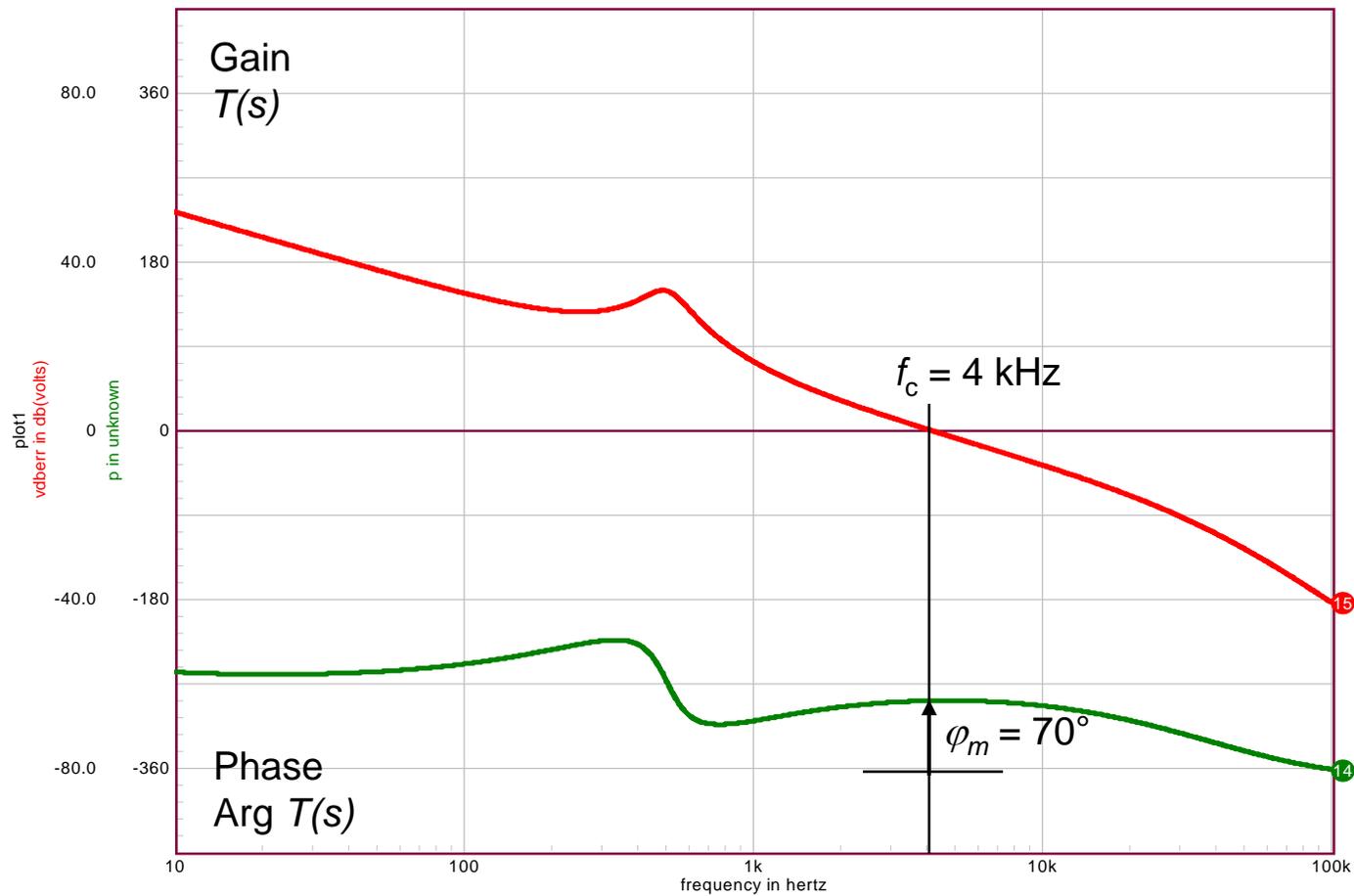
5. Given the necessary boost of 155° , we select a type-3 amplifier
6. A SPICE simulation can give us the whole picture!



1 pole at the origin
2 zeros at 500 Hz
2 poles at 50 kHz

Finally, We Test the Open-Loop Gain

An ac simulation gives us the open-loop Bode plot



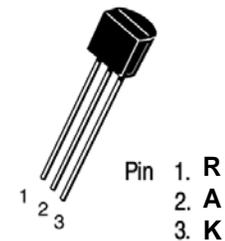
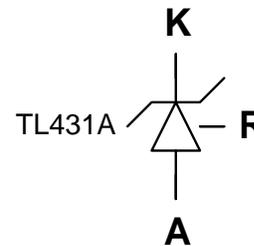
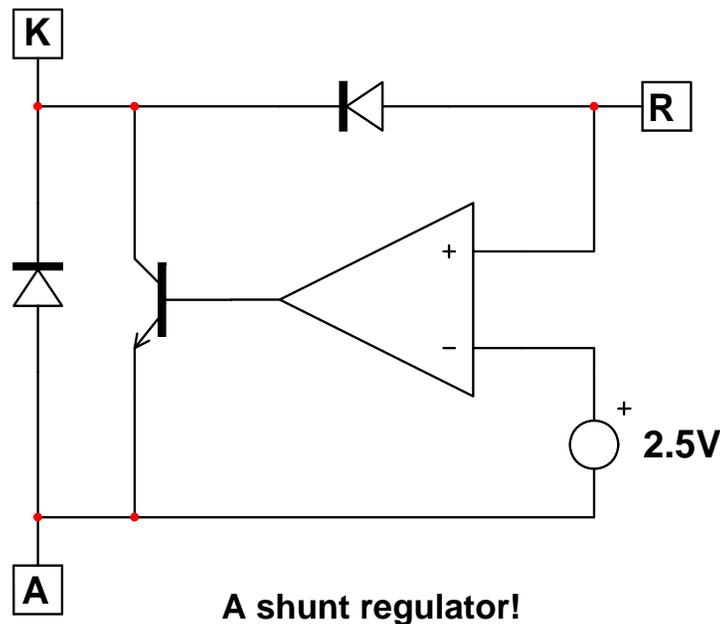
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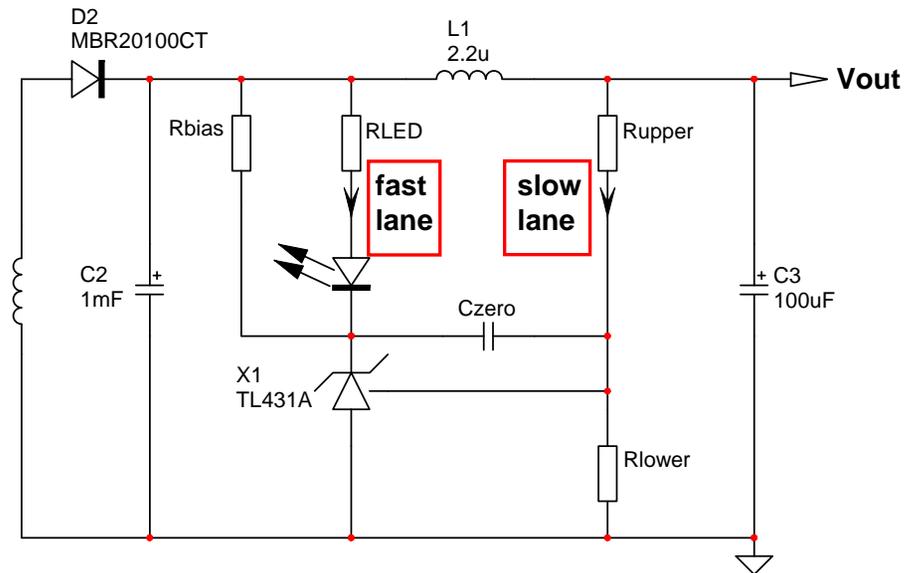
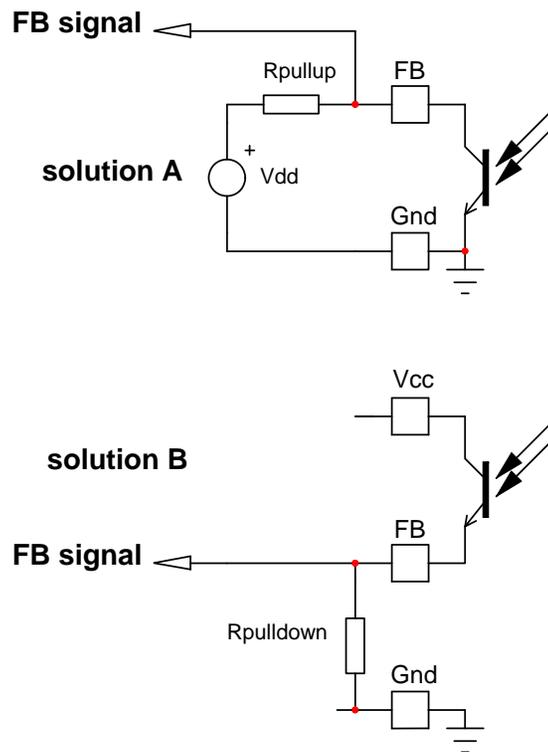
Type 2 with a TL431

- ❑ Literature examples use op amps to close the loop.
- ❑ Reality differs as the TL431 is widely implemented.
- ❑ How to convert a type 2 to a TL431 circuit?



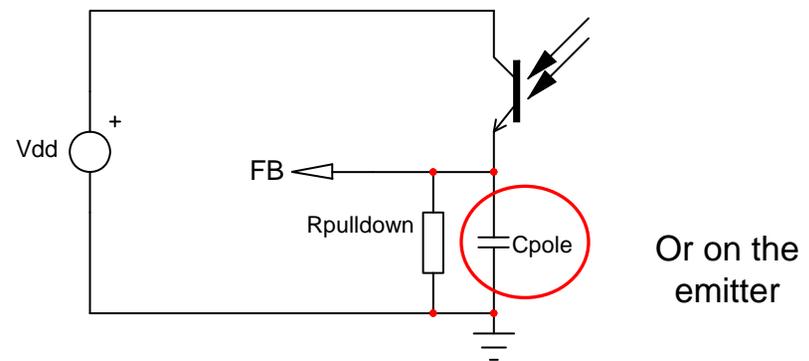
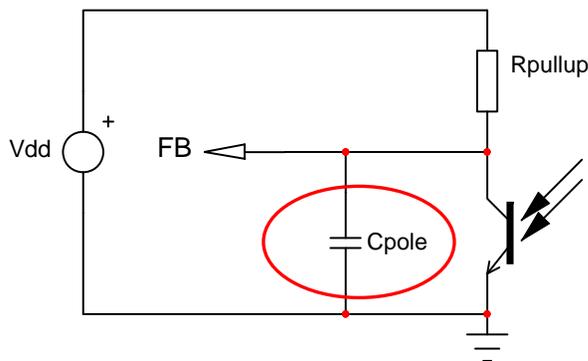
Type 2 with a TL431

- A TL431 implements a two-loop configuration



Adding a Pole for a Type 2 Circuit

- The pole is a simple capacitor on the collector



$$G(s) = \frac{V_{FB}(s)}{V_{out}(s)} = - \left(\frac{sR_{upper}C_{zero} + 1}{sR_{upper}C_{zero}} \right) \left(\frac{1}{1 + sR_{pullup}C_{pole}} \right) \frac{R_{pullup}}{R_{LED}} CTR$$

$$f_{po} = \frac{1}{2\pi R_{upper} C_{zero}}$$

Pole at the origin

$$f_z = \frac{1}{2\pi R_{upper} C_{zero}}$$

Low frequency zero

$$G = \frac{R_{pullup}}{R_{LED}} CTR$$

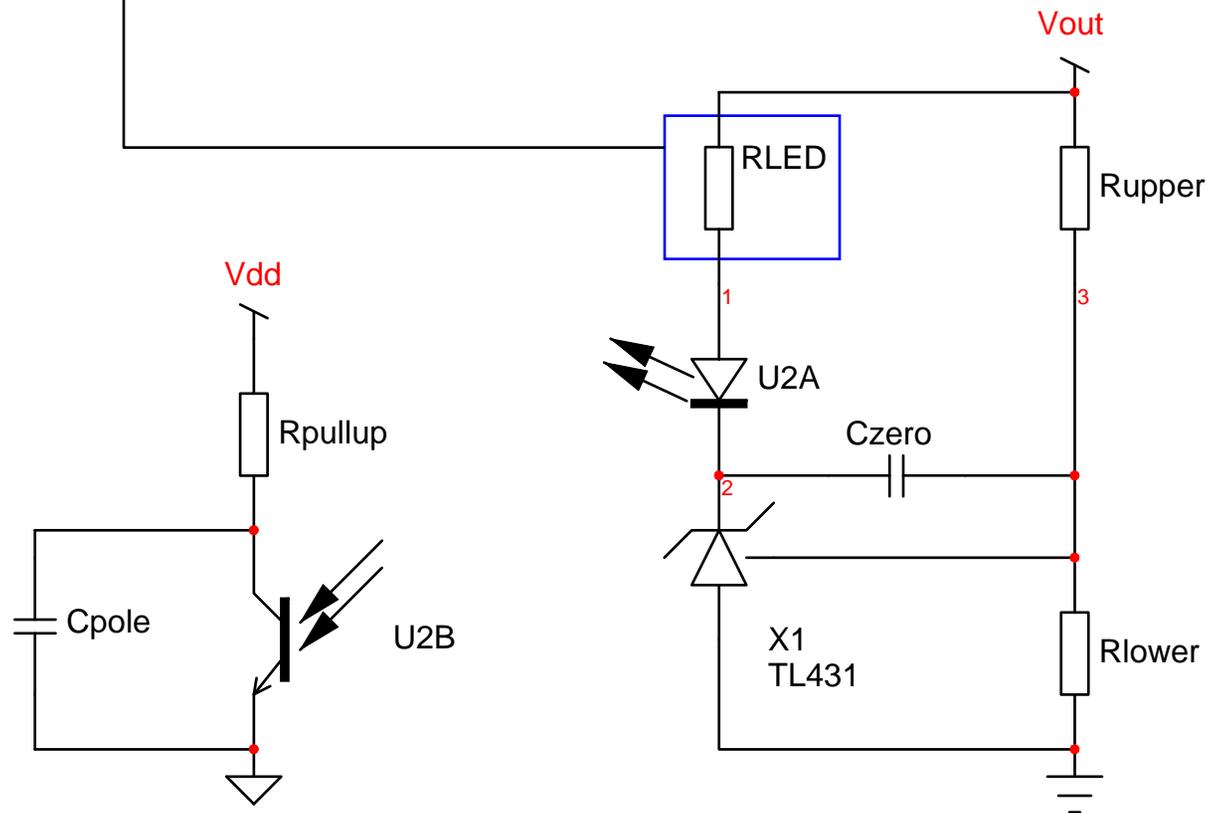
Mid-band gain

$$f_p = \frac{1}{2\pi R_{pullup} C_{pole}}$$

High frequency pole

The Type 2 Final Implementation

- The LED resistor fixes the mid-band gain



What TL431?

- The TL431 is available under several grades
 - TL431AI, 2.495 V, $\pm 2.2\%$ $T_A = -25\text{ }^\circ\text{C}$ to $+85\text{ }^\circ\text{C}$
 - TL431AC, 2.495 V, $\pm 1.6\%$ $T_A = -25\text{ }^\circ\text{C}$ to $+85\text{ }^\circ\text{C}$
 - TL431BI, 2.495 V, $\pm 0.8\%$ $T_A = -25\text{ }^\circ\text{C}$ to $+85\text{ }^\circ\text{C}$
 - $BV = 37\text{ V}$, $I_{K,max} = 100\text{ mA}$ and $I_{K,min} = 1\text{ mA}$

- The TLV431 can regulate to a lower output
 - TLV431A, 1.24 V, $\pm 2\%$ $T_A = -25\text{ }^\circ\text{C}$ to $+85\text{ }^\circ\text{C}$
 - TLV431B, 1.24 V, $\pm 1\%$ $T_A = -25\text{ }^\circ\text{C}$ to $+85\text{ }^\circ\text{C}$
 - $BV = 18\text{ V}$, $I_{K,max} = 20\text{ mA}$ and $I_{K,min} = 100\text{ }\mu\text{A}$

 NCP100 down to 0.9 V

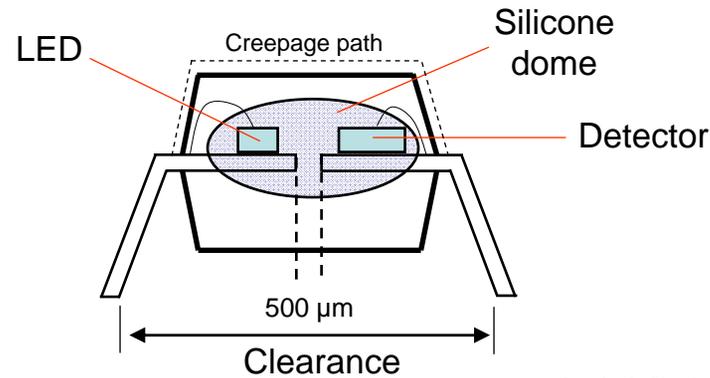
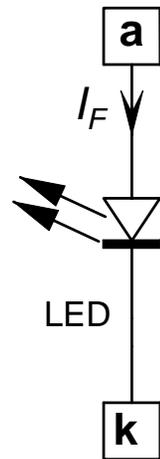
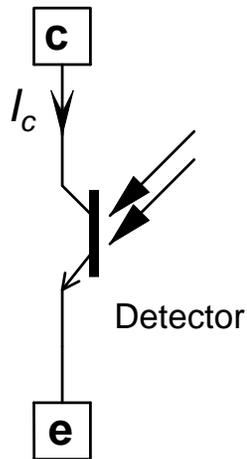
Agenda

- Feedback generalities
- Conditions for stability
- Poles and zeros
- Phase margin and quality coefficient
- Undershoot and crossover frequency
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- Watch the optocoupler!**
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The Optocoupler is the Treator Here!

- ❑ You need galvanic isolation between the prim. and the sec.
- ❑ An optocoupler transmits light only, no electrical link



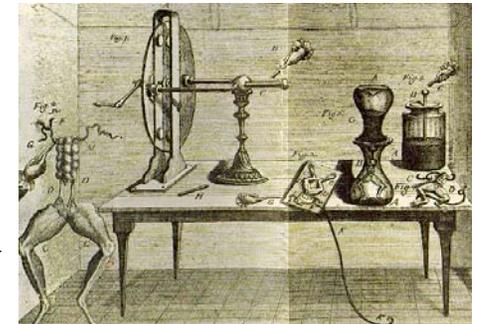
$$\text{CTR} = \frac{I_c}{I_F} \times 100$$

Current Transfer Ratio

Luigi Galvani, 1737-1798
Italian physician and physicist

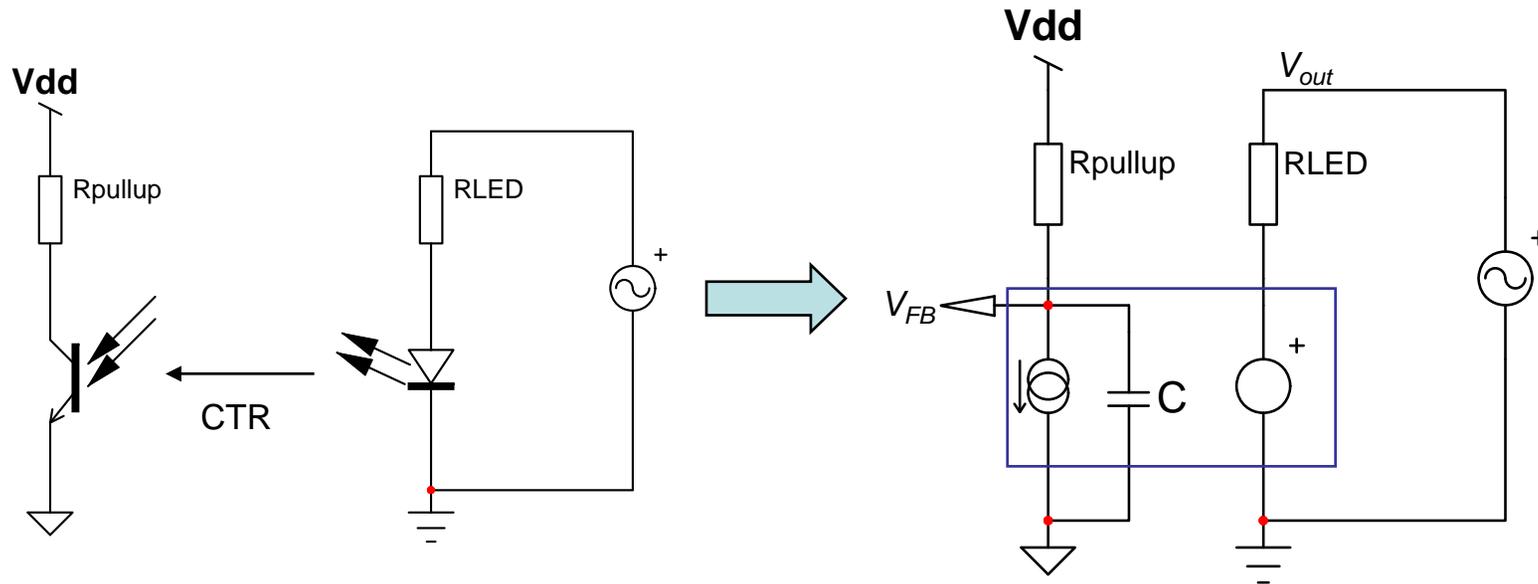


French specimen →



The Internal Pole should be Known

- ❑ The photons are collected by a collector-base area.
- ❑ This area offers a large parasitic capacitance: opto pole!



$$\frac{V_{FB}(s)}{V_{out}(s)} = -\frac{R_{pullup} CTR}{R_{LED}} \frac{1}{1 + sR_{pullup} C}$$

If f_p is above 5 times f_c , its effect is negligible
 If f_p is close to f_c , phase margin degradation

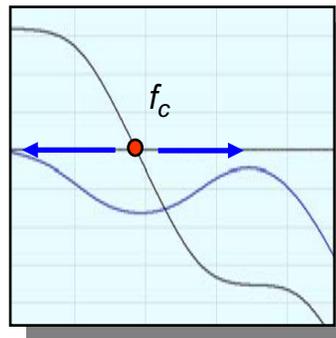
Assess the CTR Variations

- ❑ CTR changes with the operating current!
- ❑ Try to select collector bias currents around 2-5 mA

Current Transfer Ratio (I_C/I_F at $V_{CE}=5.0$ V) and Collector-emitter Leakage Current

Parameter	-1	-2	-3	-4	-12	-23	-34	-13	-24	-14	Unit
I_C/I_F ($I_F=10$ mA)	40-80	63-125	100-200	160-320	40-125	63-200	100-320	40-200	63-320	40-320	%
I_C/I_F ($I_F=1.0$ mA)	30(>13)	45(>22)	70(>34)	90(>56)	30(>13)	45(>22)	70(>34)	30(>13)	45(>22)	30(>13)	
Collector-Emitter Leakage Current, I_{CEO} , $V_{CE}=10$ V	2.0(≤ 50)	2.0(≤ 50)	5.0(≤ 100)	5.0(≤ 100)	2.0(≤ 50)	5.0(≤ 100)	nA				

CTR between 0.63 and 1.25
 Normalized to 1 (0 dB)
 0.63 gives -4 dB
 1.25 gives +2 dB



Watch out for crossover frequency changes and phase margin at CTR extremes!

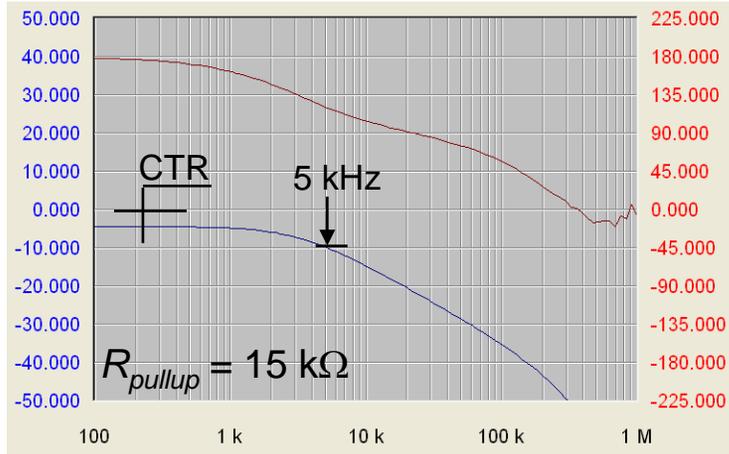
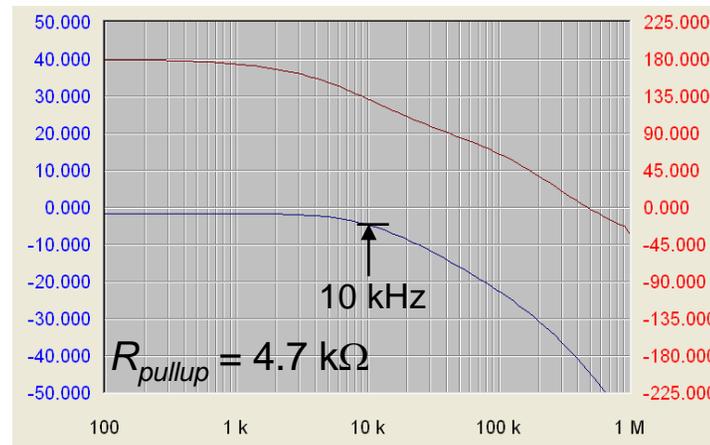
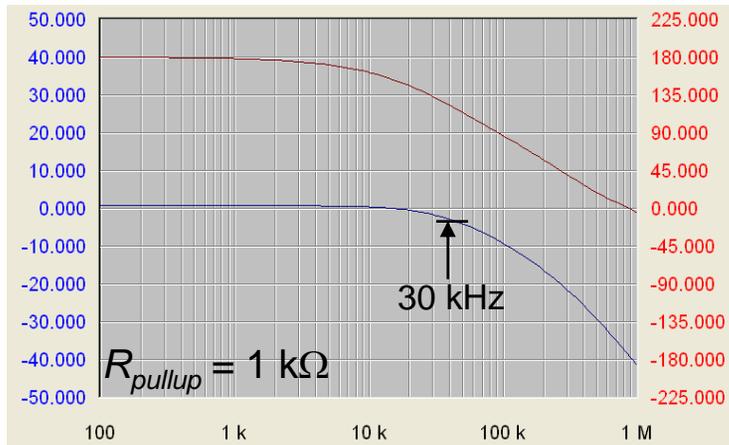


SFH-615



Changing the Pullup Affects the Pole Position

- A low pullup resistor offers better bandwidth!



- Changing the bias point affects the CTR

$$\frac{V_{FB}(s)}{V_{out}(s)} = -\frac{R_{pullup}}{R_{LED}} CTR$$

- If $R_{pullup} = R_{LED}$, then $|G_0| = 0 \text{ dB} \dots ?$

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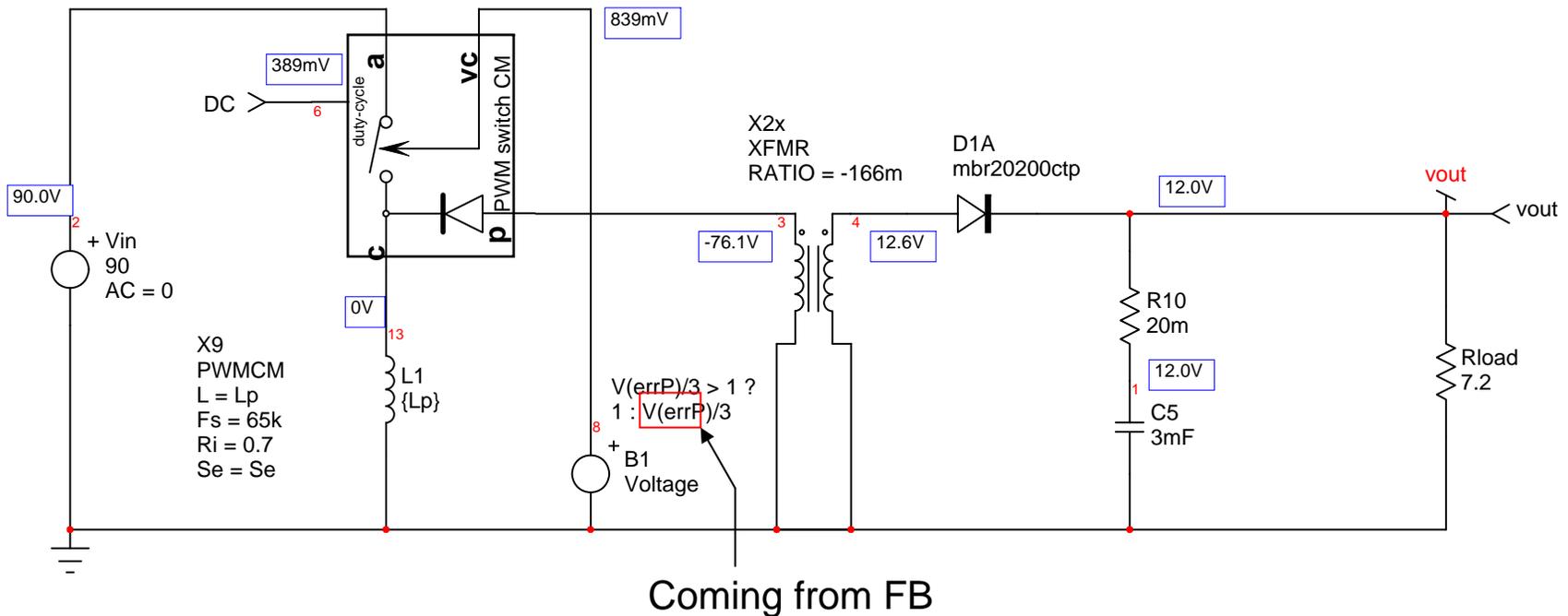
Stabilizing a DCM Flyback Converter

- ❑ We want to stabilize a 20 W DCM adapter
 - ❑ $V_{in} = 85$ to 265 Vrms
 - ❑ $V_{out} = 12$ V/1.7 A
 - ❑ $F_{sw} = 60$ kHz
 - ❑ Selected controller: NCP1216
1. Obtain a power stage open-loop Bode plot, $H(s)$
 2. Look for gain and phase values at cross over
 3. Compensate gain and build phase at cross over, $G(s)$
 4. Run a loop gain analysis to check for margins, $T(s)$
 5. Test transient responses in various conditions



Stabilizing a DCM Flyback Converter

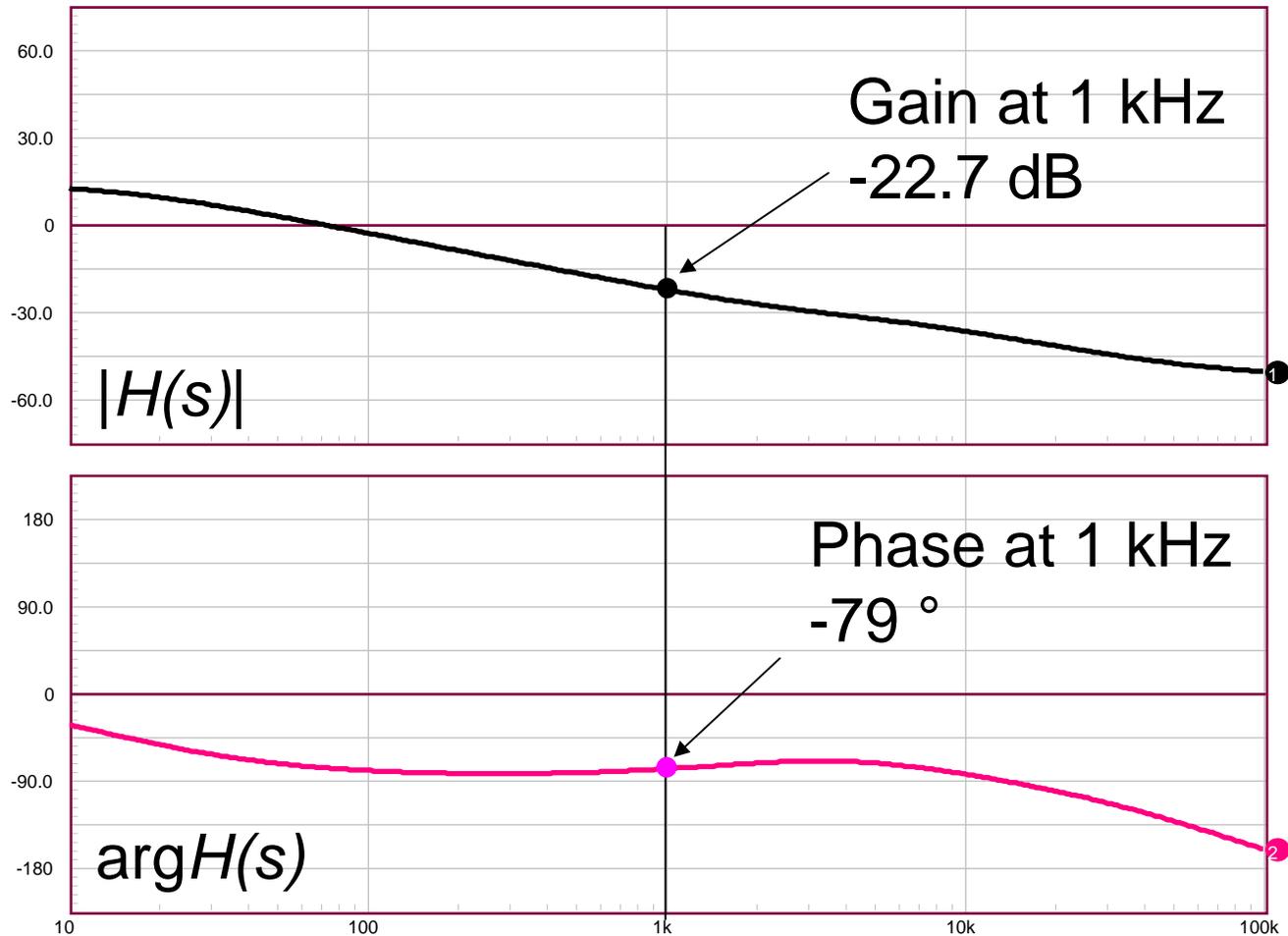
- Capture a SPICE schematic with an averaged model



- Look for the bias points values: $V_{out} = 12\text{ V}$, ok

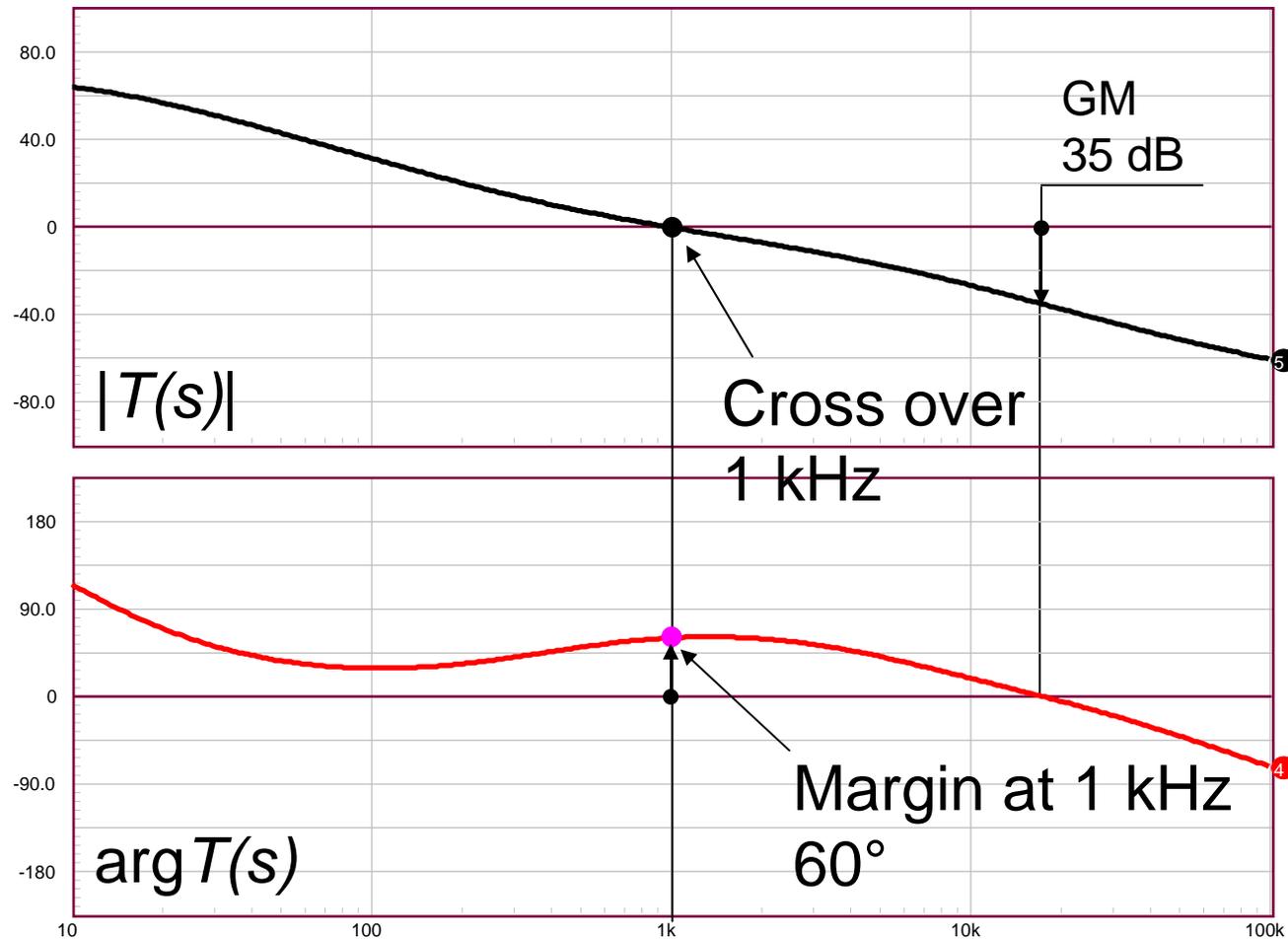
Stabilizing a DCM Flyback Converter

- Get the open-loop power stage transfer function, $H(s)$



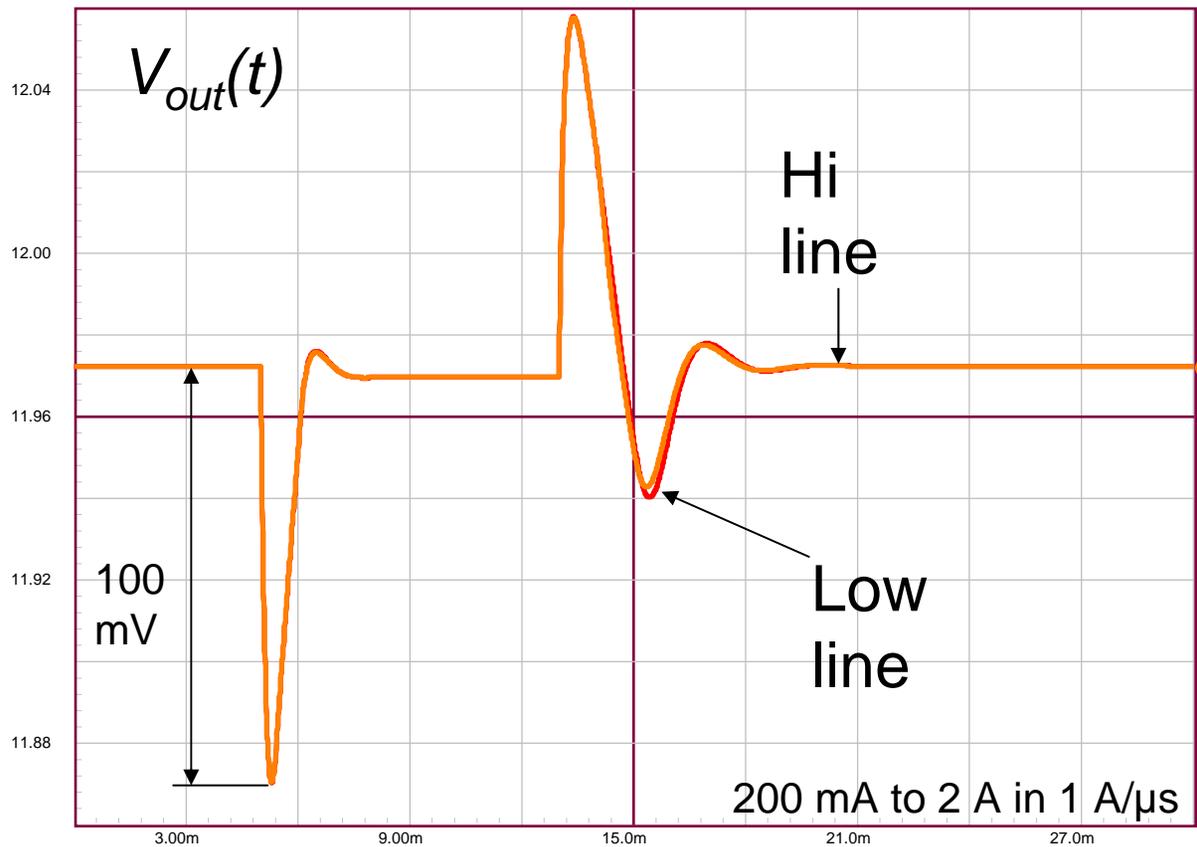
Stabilizing a DCM Flyback Converter

- Boost the gain by +22 dB, boost the phase at f_c



Stabilizing a DCM Flyback Converter

- ❑ Test the response at both input levels, 90 and 265 Vrms
- ❑ Sweep ESR values and check margins again



Agenda

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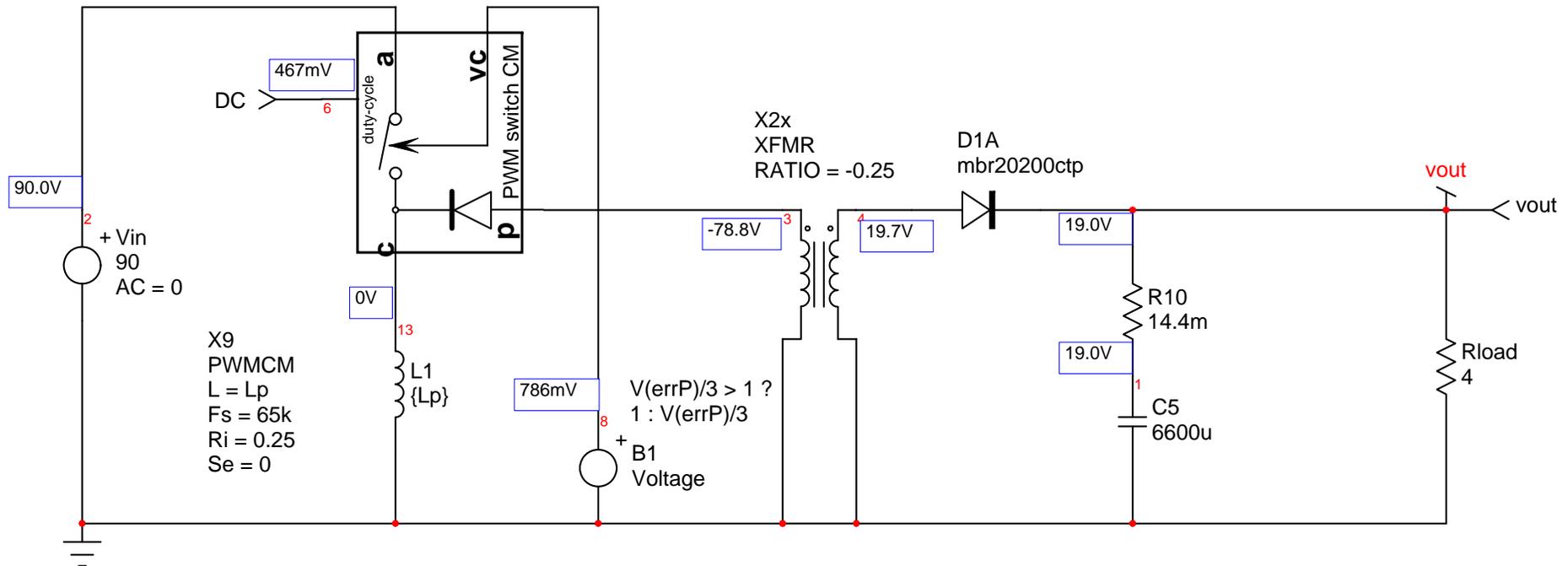
Stabilizing a CCM Flyback Converter

- ❑ We want to stabilize a 90 W CCM adapter
 - ❑ $V_{in} = 85$ to 265 Vrms
 - ❑ $V_{out} = 19$ V/4.8 A
 - ❑ $F_{sw} = 60$ kHz
 - ❑ Selected controller: NCP1230
1. Obtain a power stage open-loop Bode plot, $H(s)$
 2. Look for gain and phase values at cross over
 3. Compensate gain and build phase at cross over, $G(s)$
 4. Run a loop gain analysis to check for margins, $T(s)$
 5. Test transient responses in various conditions



Stabilizing a CCM Flyback Converter

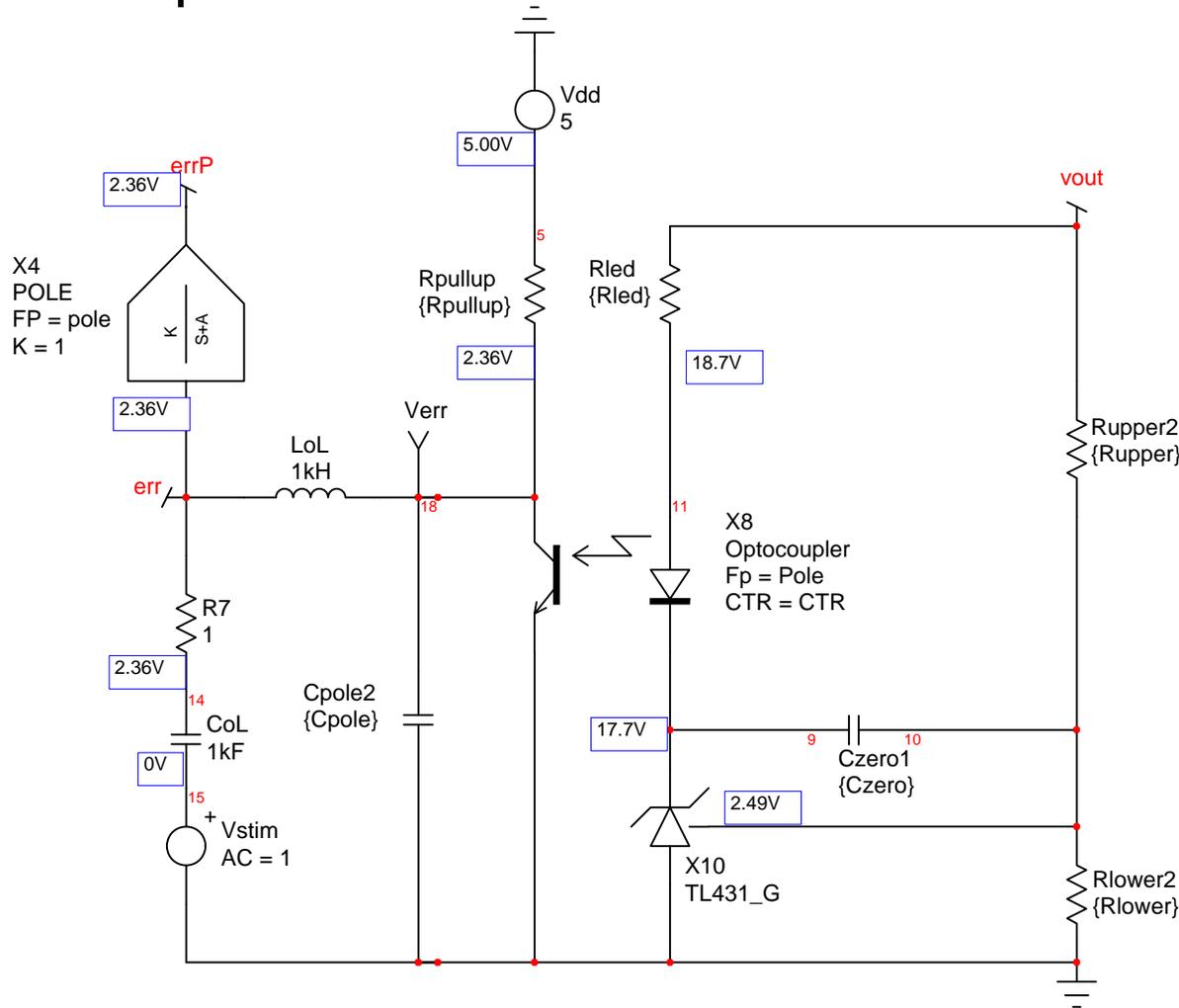
- Capture a SPICE schematic with an averaged model



- Look for the bias points values: $V_{out} = 19\text{ V}$, ok
- $V_{\text{setpoint}} < 1\text{ V}$, enough margin on current sense

Stabilizing a CCM Flyback Converter

- Capture a SPICE schematic with an averaged model

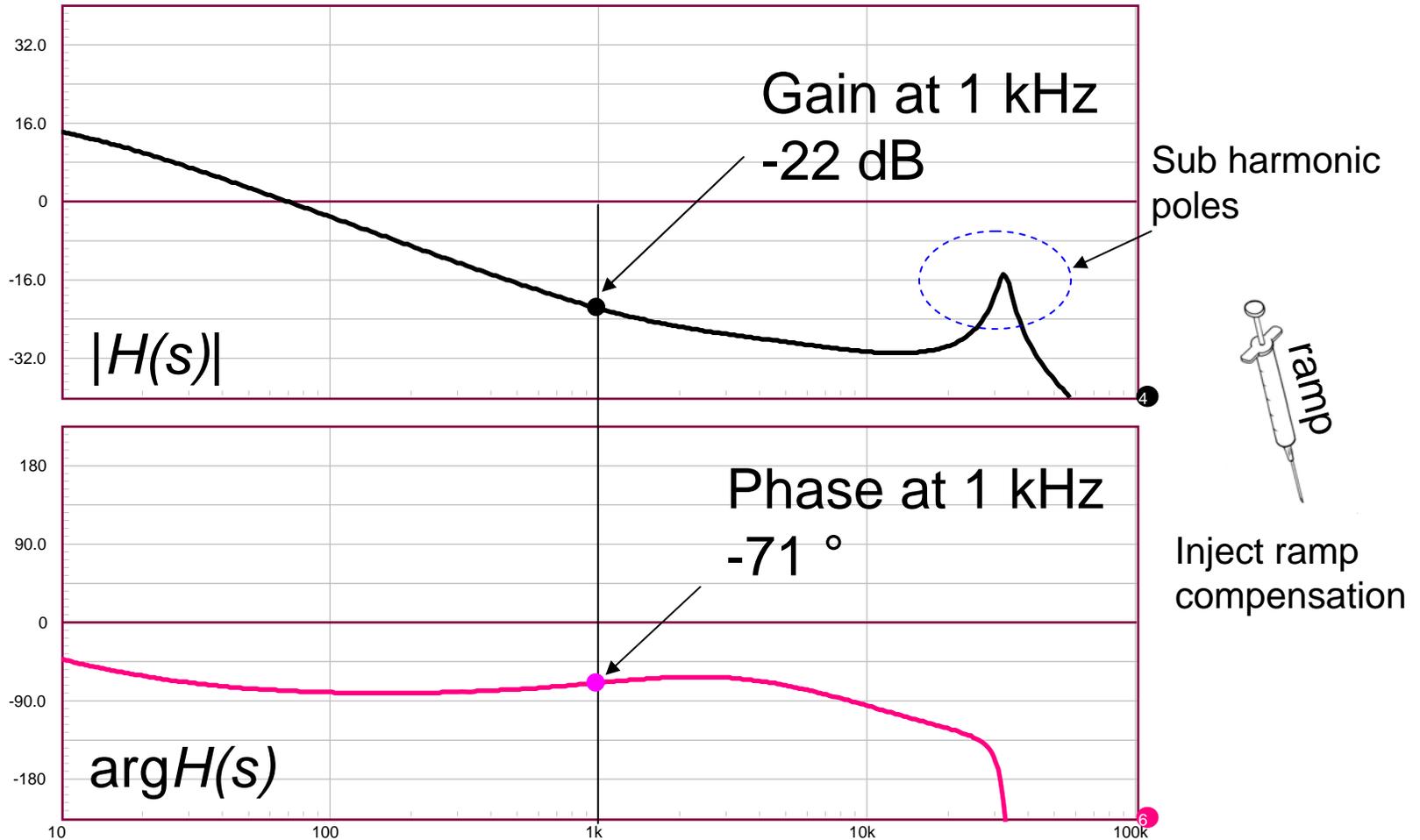


parameters

Vout=19
 Ibridge=250u
 Rlower=2.5/Ibridge
 Rupper=(Vout-2.5)/Ibridge
 Lp=350u
 Se=20k
 fc=1k
 pm=60
 Gfc=-22
 pfc=-71
 from Bode
 $G=10^{-(Gfc/20)}$
 boost=pm-(pfc)-90
 pi=3.14159
 $K=\tan((\text{boost}/2+45)*\pi/180)$
 Fzero=fc/k
 Fpole=k*fc
 Rpullup=20k
 $RLED=CTR*Rpullup/G$
 $Czero=1/(2*\pi*Fzero*Rupper)$
 $Cpole=1/(2*\pi*Fpole*Rpullup)$
 CTR=1.5
 Pole=6k

Stabilizing a CCM Flyback Converter

- Capture a SPICE schematic with an averaged model

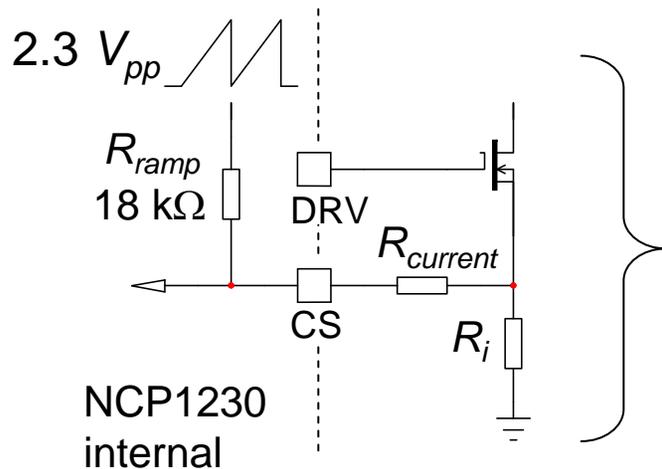


Stabilizing a CCM Flyback Converter

- The easiest way to damp the poles:
- Calculate the equivalent quality coefficient at $F_{sw}/2$
- Calculate the external ramp to make Q less than 1

$$Q = \frac{1}{\pi \left(D' \frac{S_e}{S_n} + \frac{1}{2} - D \right)} = \frac{1}{3.14 \times (0.5 - 0.46)} = 8$$

$$S_e = \frac{S_n}{D'} \left(\frac{1}{\pi} - 0.5 + D \right) = \frac{V_{in} R_i}{L_p D'} \left(\frac{1}{\pi} - 0.5 + D \right) = \frac{90 \times 0.25}{320 \mu \times (1 - 0.46)} \left(\frac{1}{3.14} - 0.5 + 0.46 \right) = 36 \text{ kV/s}$$



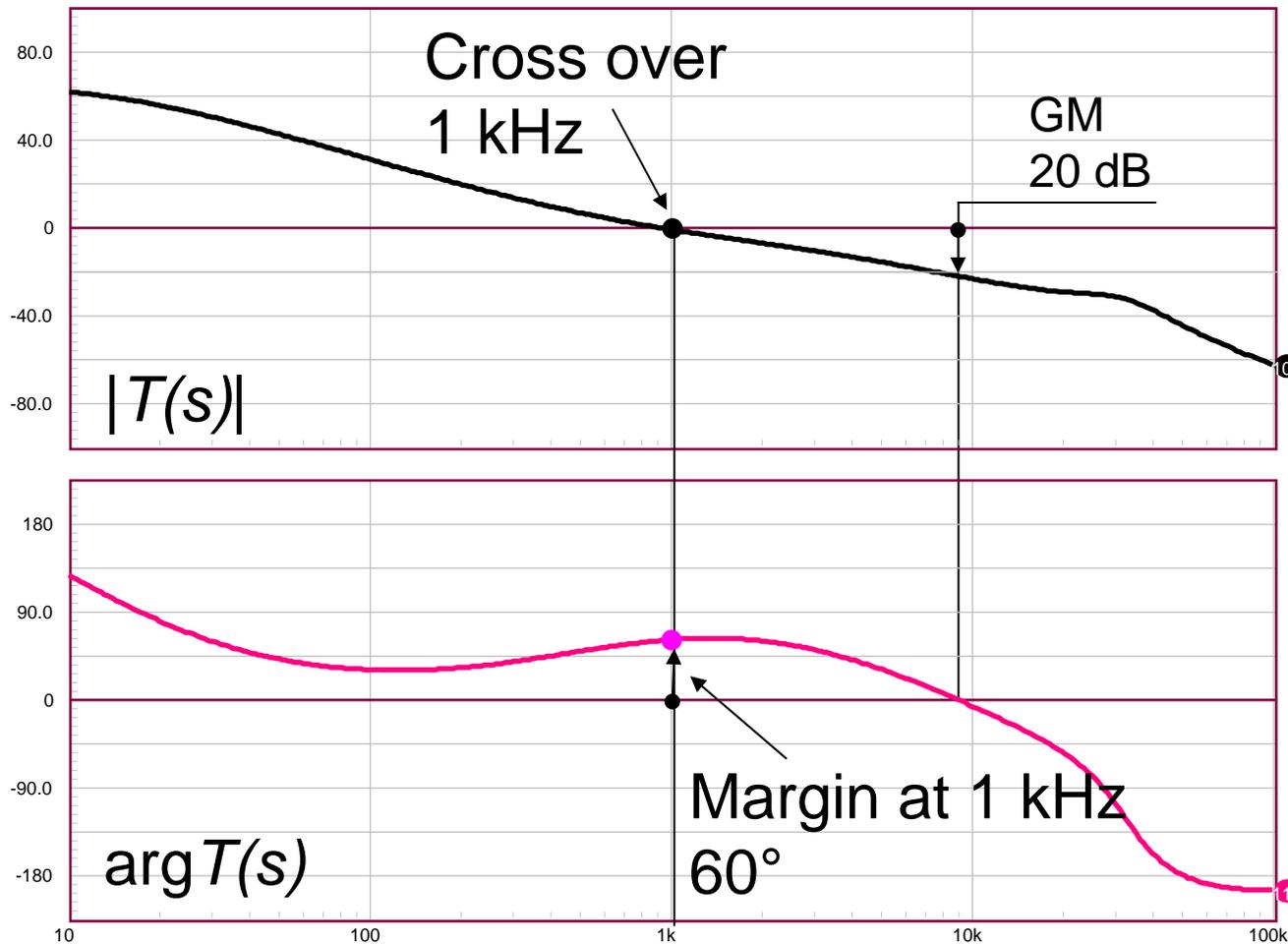
$$M_r = \frac{S_e}{S_n} = \frac{36k}{70k} = 51\% \quad \leftarrow \text{On-time slope } \frac{V_{in} R_i}{L_p}$$

$$S_{ramp} = \frac{2.3}{15 \mu} = 153 \text{ kV/s}$$

$$R_{current} = \frac{M_r S_n R_{ramp}}{S_{ramp}} = \frac{0.51 \times 70k \times 18k}{153k} = 4.1 \text{ k}\Omega$$

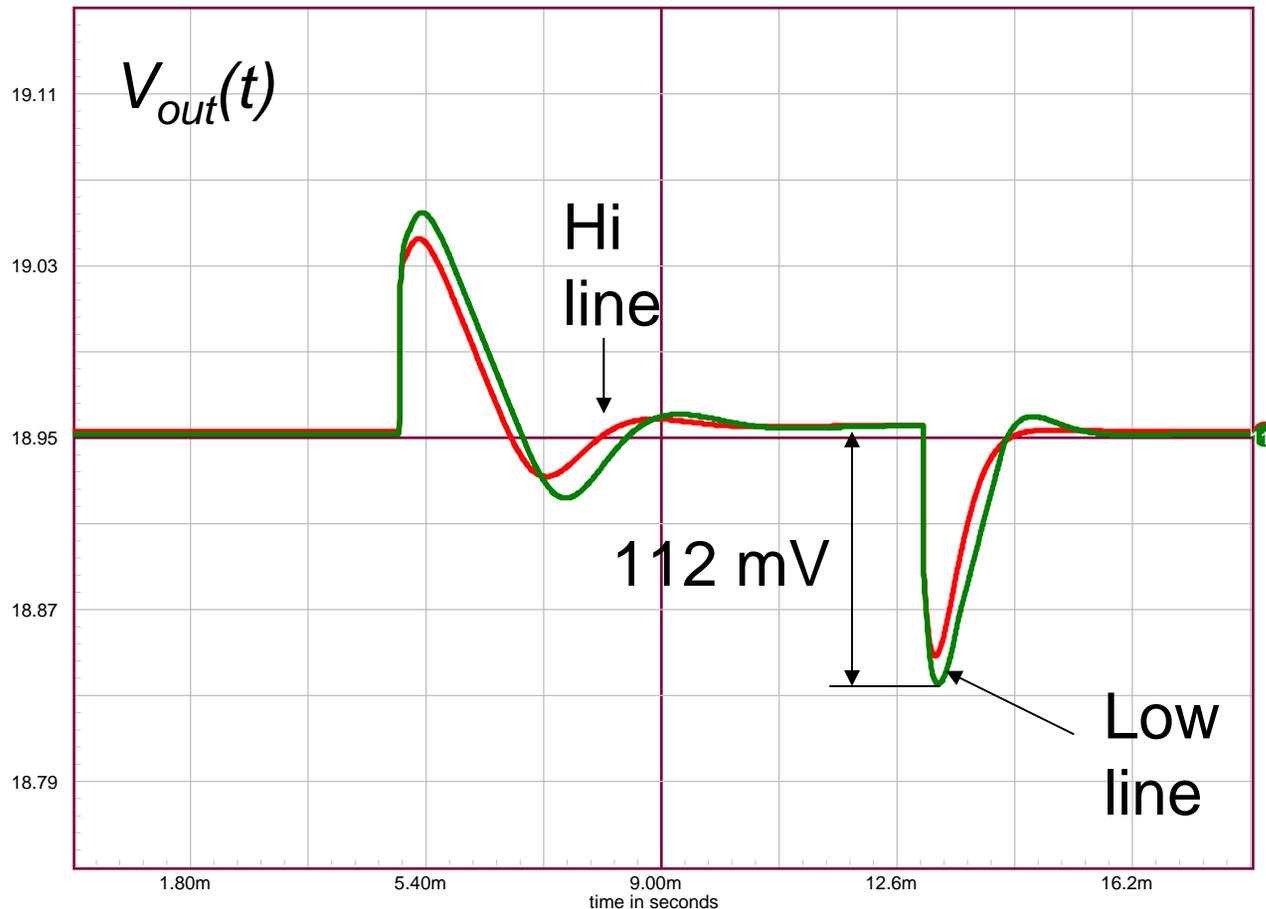
Stabilizing a CCM Flyback Converter

- Boost the gain by +22 dB, boost the phase at f_c



Stabilizing a CCM Flyback Converter

- ❑ Test the response at both input levels, 90 and 265 Vrms
- ❑ Sweep ESR values and check margins again



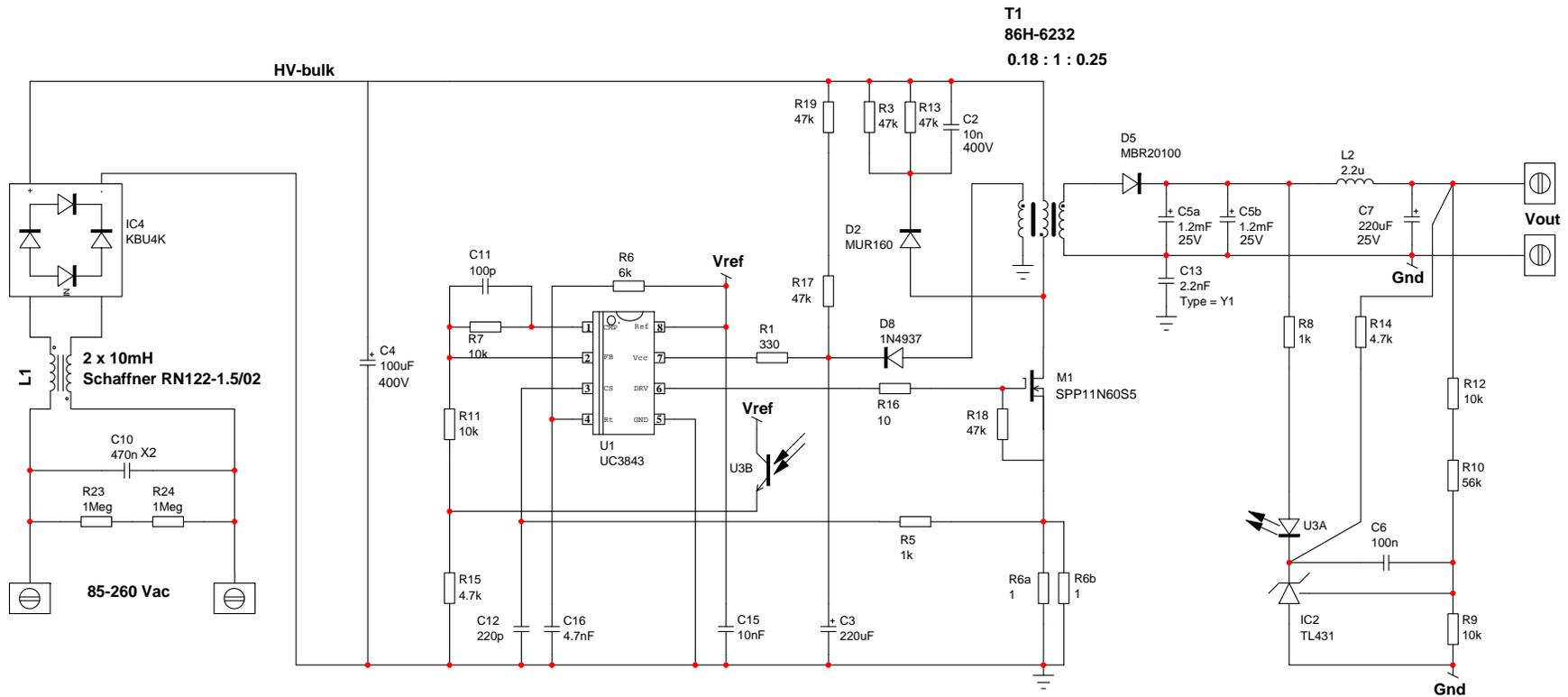
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Testing a UC3843 Converter

- ❑ A 19 V/3 A converter is built around an UC3843
- ❑ The converter operates in CCM or DCM

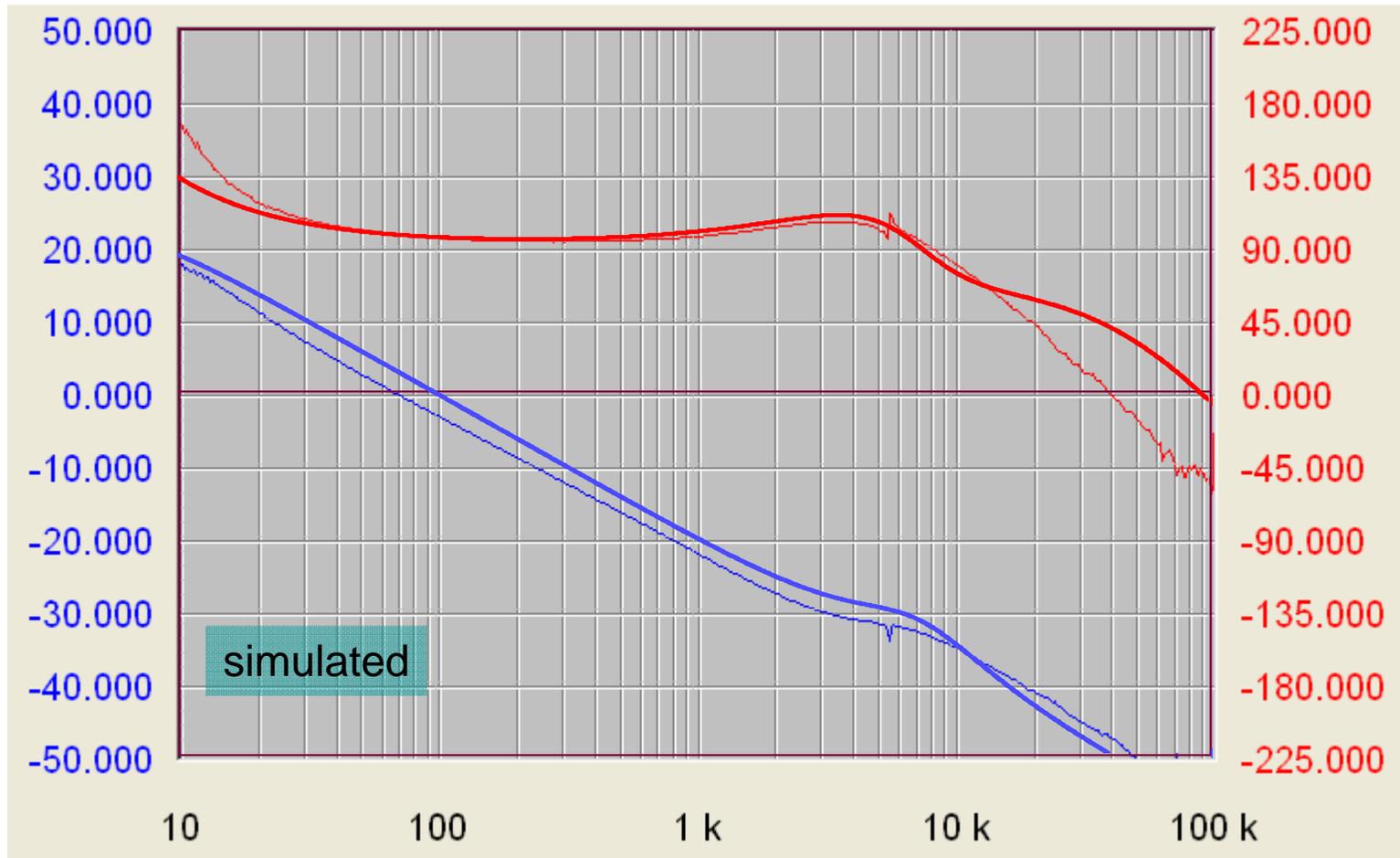


Full Load Leads to CCM Operation



CCM operation, $R_{load} = 6.3 \Omega$

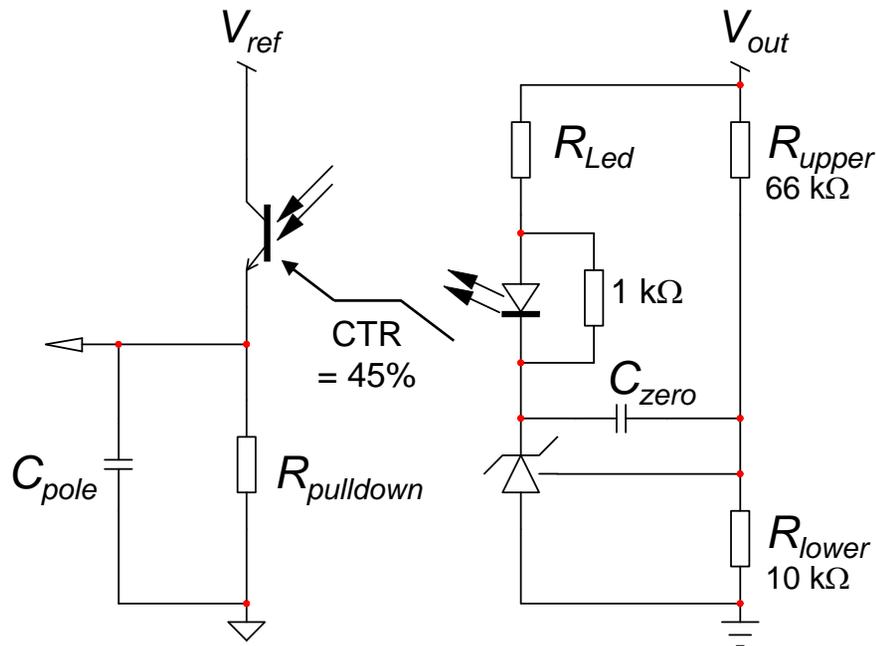
Reduce the Load to Enter in DCM



DCM operation, $R_{load} = 20 \Omega$

From the Open-Loop Bode Plot, Compensate

- The TL431 is tailored to pass a 1 kHz bandwidth



Calculate mid-band gain: +18 dB

$$R_{LED} = \frac{R_{pullup} \text{CTR}}{10^{\frac{18}{20}}} = \frac{4.7k \times 0.45}{7.94} = 266 \Omega$$

We place a zero at 300 Hz:

$$C_{zero} = \frac{1}{2\pi f_{zero} R_{upper}} = \frac{1}{6.28 \times 300 \times 66k} = 8 \text{ nF}$$

We place a pole at 3.3 kHz:

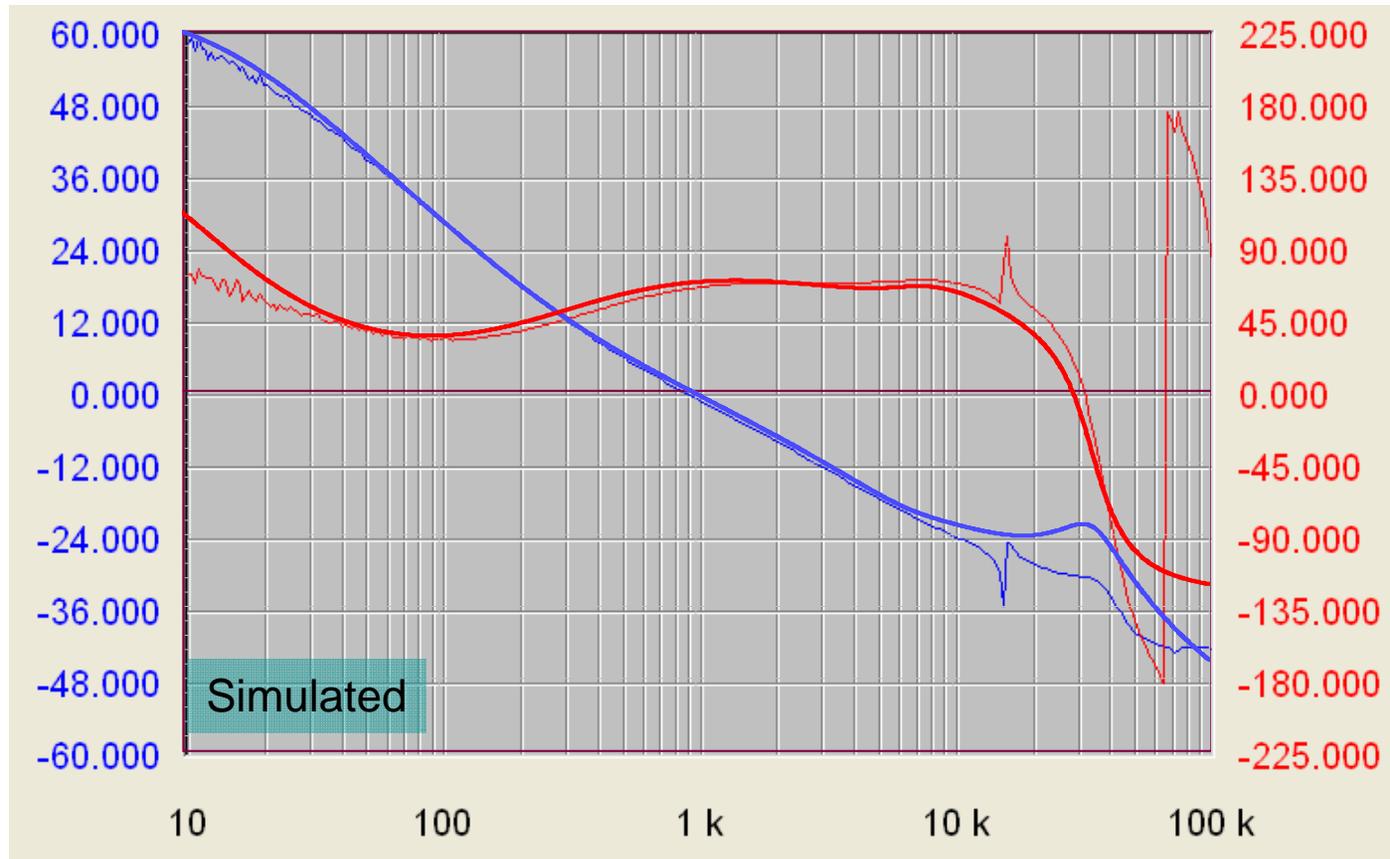
$$C_{pole} = \frac{1}{2\pi f_{pole} R_{pulldown}} = \frac{1}{6.28 \times 3.3k \times 4.7k} = 10 \text{ nF}$$

↓
k factor method

“Switch-Mode Power Supplies: SPICE Simulations and Practical Designs”, McGraw-Hill

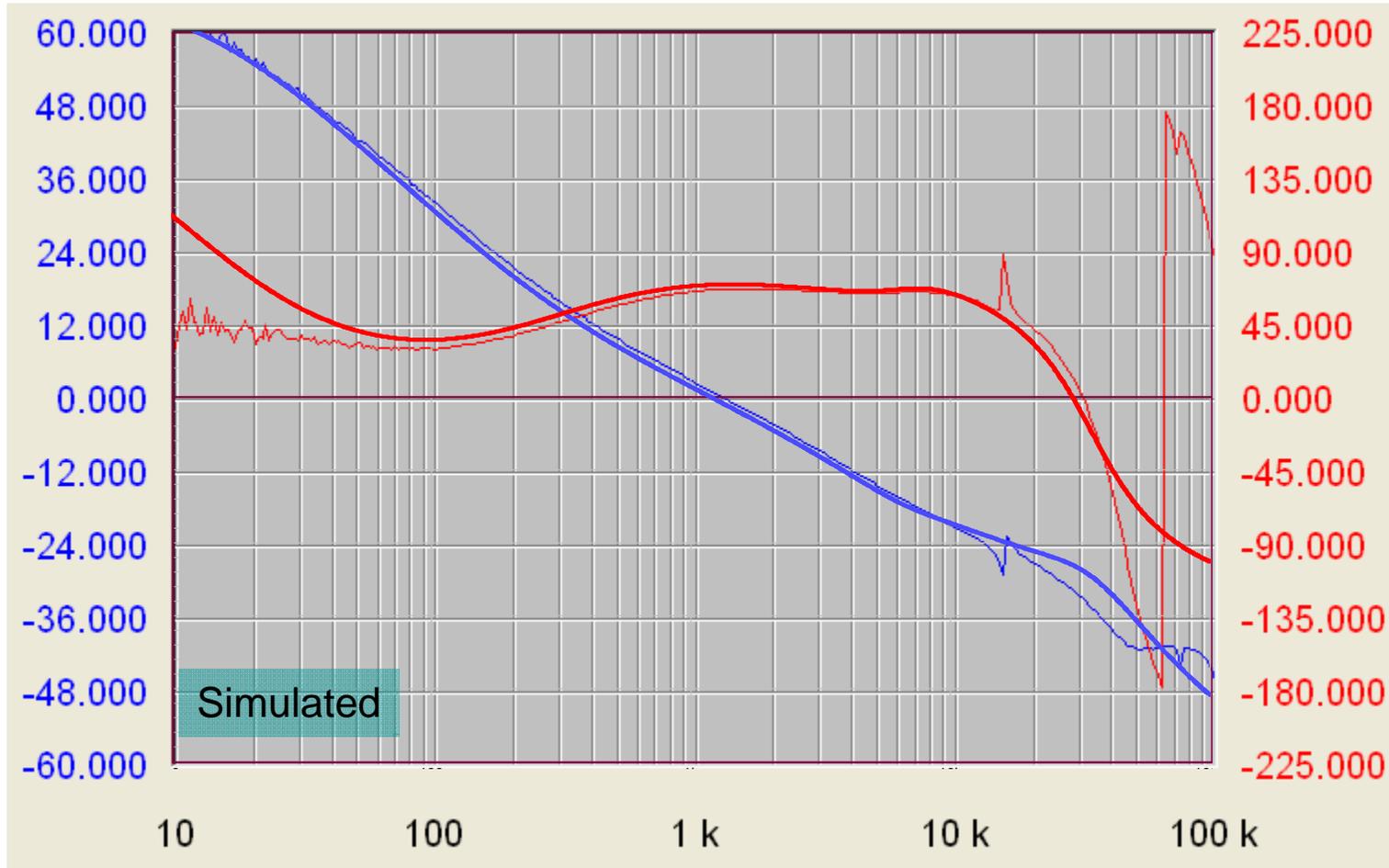
Verify in the Lab. the Open-Loop Gain

- Sweep extreme voltages and loads as well!



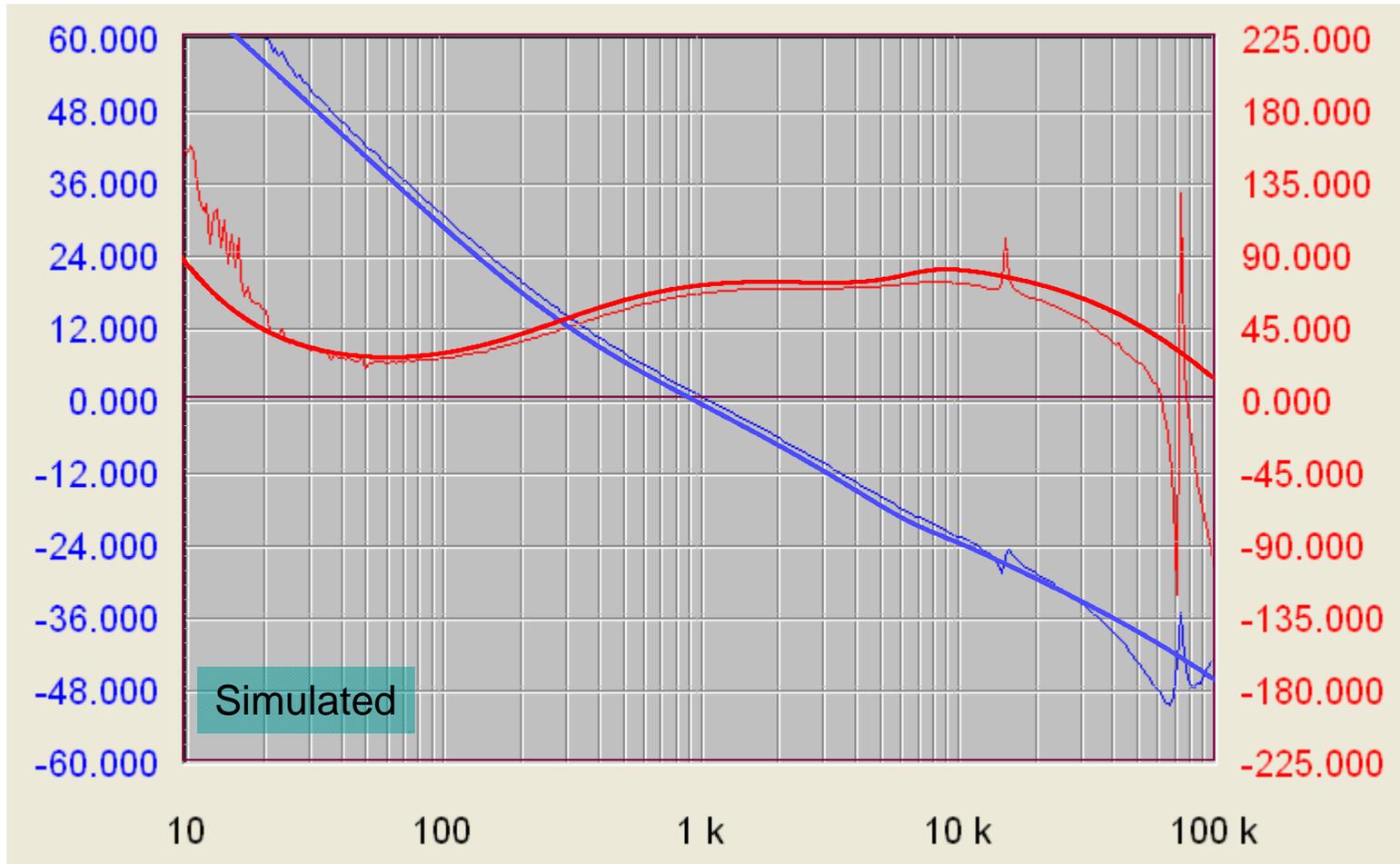
CCM operation, $R_{load} = 6.3 \Omega$, $V_{in} = 150 \text{ Vdc}$

Verify in the Lab. the Open-Loop Gain



CCM operation, $R_{load} = 6.3 \Omega$, $V_{in} = 330 \text{ Vdc}$

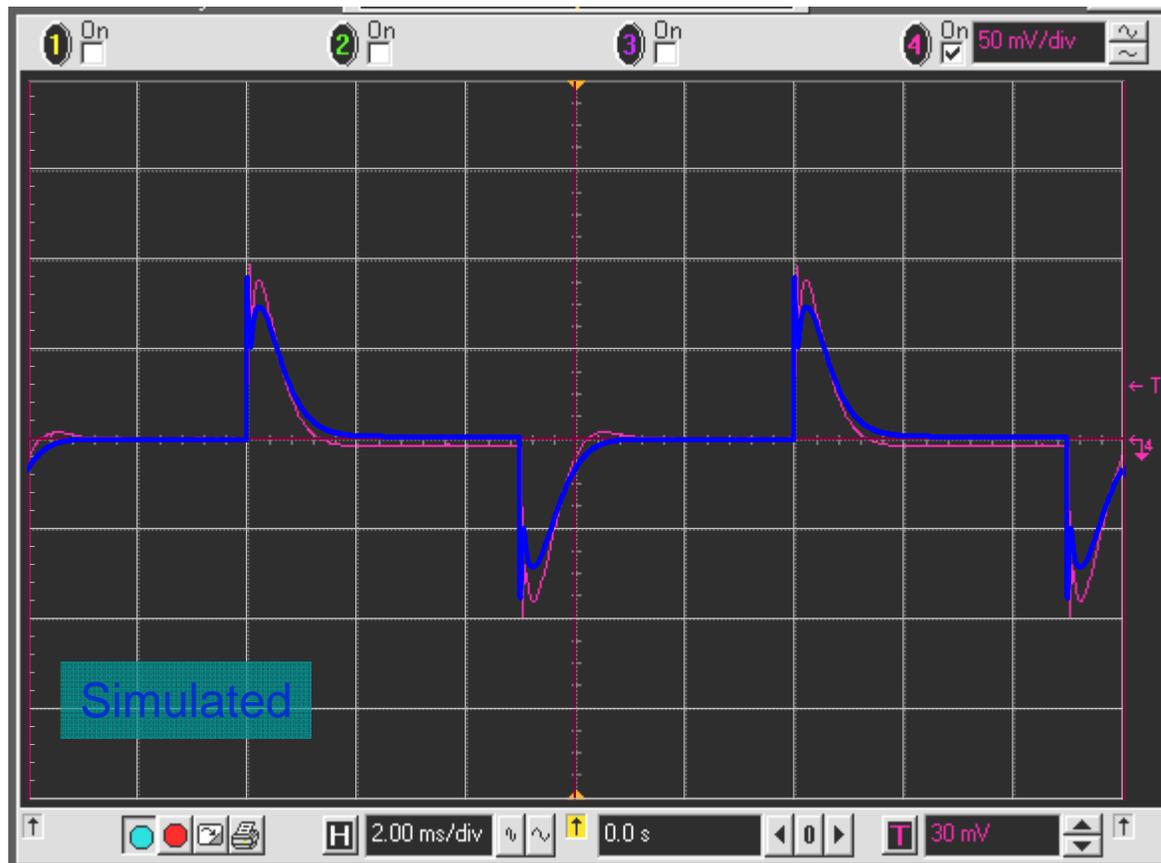
Verify in the Lab. the Open-Loop Gain



DCM operation, $R_{load} = 20 \Omega$, $V_{in} = 330 \text{ Vdc}$

As a Final Test, Step Load the Output

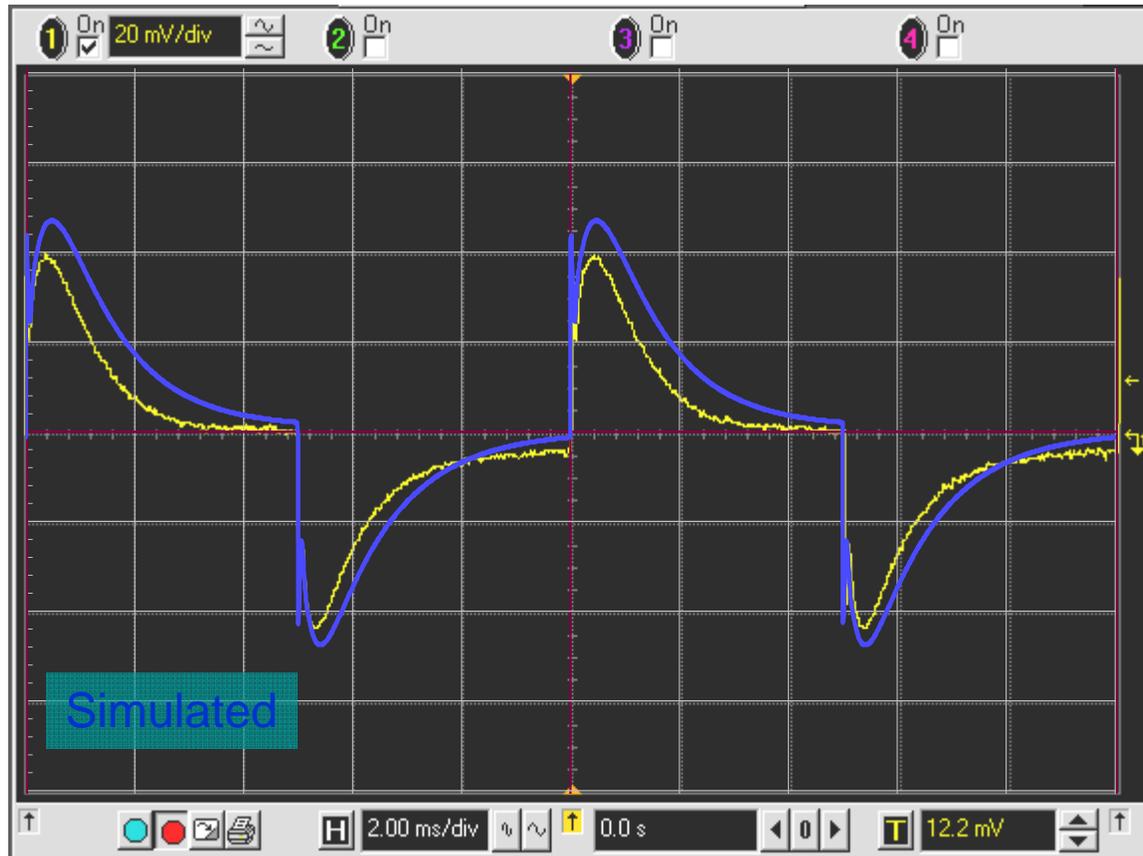
- Good agreement between curves!



$V_{in} = 150 \text{ V}$
CCM
2 to 3 A
1 A/ μs

As a final test, Step Load the Output

- DCM operation at high line is also stable



$V_{in} = 330 \text{ V}$
DCM
0.5 to 1 A
1 A/ μs

Conclusion

- ❑ DC-DC loop compensation cannot be overlooked
- ❑ It is important to understand the impact of phase margin
- ❑ The crossover frequency affects the output impedance
- ❑ Current mode CCM or DCM is ok with a TL431-based type 2
- ❑ Make sure the optocoupler is characterized, watch the pole!
- ❑ Use SPICE before going to the bench: NO trial and error!
- ❑ Once the simulation is stable, build the prototype
- ❑ Simulations and laboratory debug: the success recipe!



For More Information

- View the extensive portfolio of power management products from ON Semiconductor at www.onsemi.com
- View reference designs, design notes, and other material supporting the design of highly efficient power supplies at www.onsemi.com/powersupplies

